



# Selection for beef meat quality using ultrasound or genomic information

*Eduardo Pimentel and Sven König*

Department of Animal Breeding, University of Kassel  
Witzenhausen, Germany





# Motivation

---

- Current situation (e.g., in Germany):

Weight at 200 days



Weight at 400 days



Muscling score



- Extending it to select for meat quality

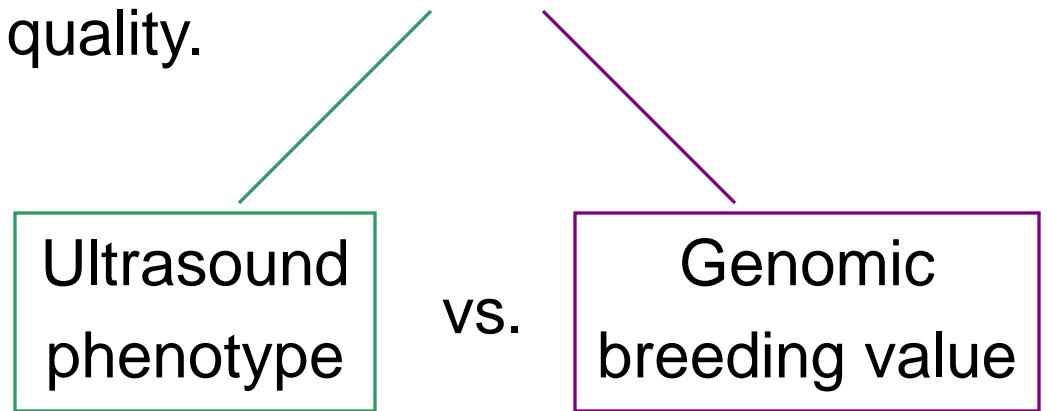




## Objective

---

- Compare different breeding strategies that make use of alternative information sources for improving meat quality.





# Methods

---

- Selection Index Theory
  - accuracy of the index
  - expected genetic gain per generation
- Breeding goal: **W200, W400, MUSC** and **MARB**
- Relative economic weights:
  - same on all traits;
  - doubled on **MARB**;
  - tripled on **MARB**



# Methods

- Breeding scenarios:

Scenario	Traits in the selection index
1	W200 + W400 + MUSC
2	W200 + W400 + MUSC + UIMF
3	W200 + W400 + MUSC + gMARB
4	W200 + W400 + MUSC + UIMF + gMARB
5	gW200 + gW400 + gMUSC
6	gW200 + gW400 + gMUSC + gMARB



# Methods

- Selection Index Theory

- Conventional  [Hazel \(1943\)](#)

$$\mathbf{b} = \mathbf{P}^{-1} \mathbf{G} \mathbf{w}$$
$$\sigma_I^2 = \mathbf{b}' \mathbf{P} \mathbf{b}$$
$$\sigma_H^2 = \mathbf{w}' \mathbf{C} \mathbf{w}$$
$$R_{IH} = \frac{\sigma_I}{\sigma_H}$$
$$\Delta G = (i) R_{IH} \sigma_H$$

- **b** → selection index coefficients;
  - **w** → economic weights;
  - **P** → (co)variances between components of the index;
  - **C** → genetic (co)variances between traits in the goal;
  - **G** → covariances between components of the index and additive genetic values of traits in the goal.



# Methods

---

- Selection Index Theory
  - Genomic → [Dekkers \(2007\)](#)

$$\text{Cov}(P_i, \text{GEBV}_j) = r_{MG_j}^2 \rho_{G_{ij}} \sigma_{G_i} \sigma_{G_j}$$

$$\text{Cov}(P_i, \text{GEBV}_i) = r_{MG_i}^2 \sigma_{G_i}^2$$

$$\text{Cov}(\text{GEBV}_i, \text{GEBV}_j) = r_{MG_i}^2 r_{MG_j}^2 \rho_{G_{ij}} \sigma_{G_i} \sigma_{G_j}$$

$r_{MG}$  → accuracy of GEBV as a predictor of the true breeding value  
(varied from 0.1 to 0.9 in steps of 0.1)



# Methods

---

- Assumed parameters:

Trait	W200	W400	MUSC	UIMF	MARB
W200	<b>0.24</b>	0.78	0.31	-0.06	-0.17
W400	0.72	<b>0.33</b>	0.14	-0.15	-0.37
MUSC	0.10	0.12	<b>0.64</b>	-0.12	-0.18
UIMF	-0.01	-0.03	-0.06	<b>0.38</b>	0.66
MARB	-0.04	0.14	-0.09	0.62	<b>0.45</b>
$\sigma_P^2$	625	1444	2.02	0.94	0.61



# Methods

---

- Number of animals to achieve a given  $r_{MG}$ :

Daetwyler et al. (2010)

$$N_p = \frac{r_{MG}^2 \hat{M}_e}{h^2(1 - r_{MG}^2)}$$

Goddard (2009)

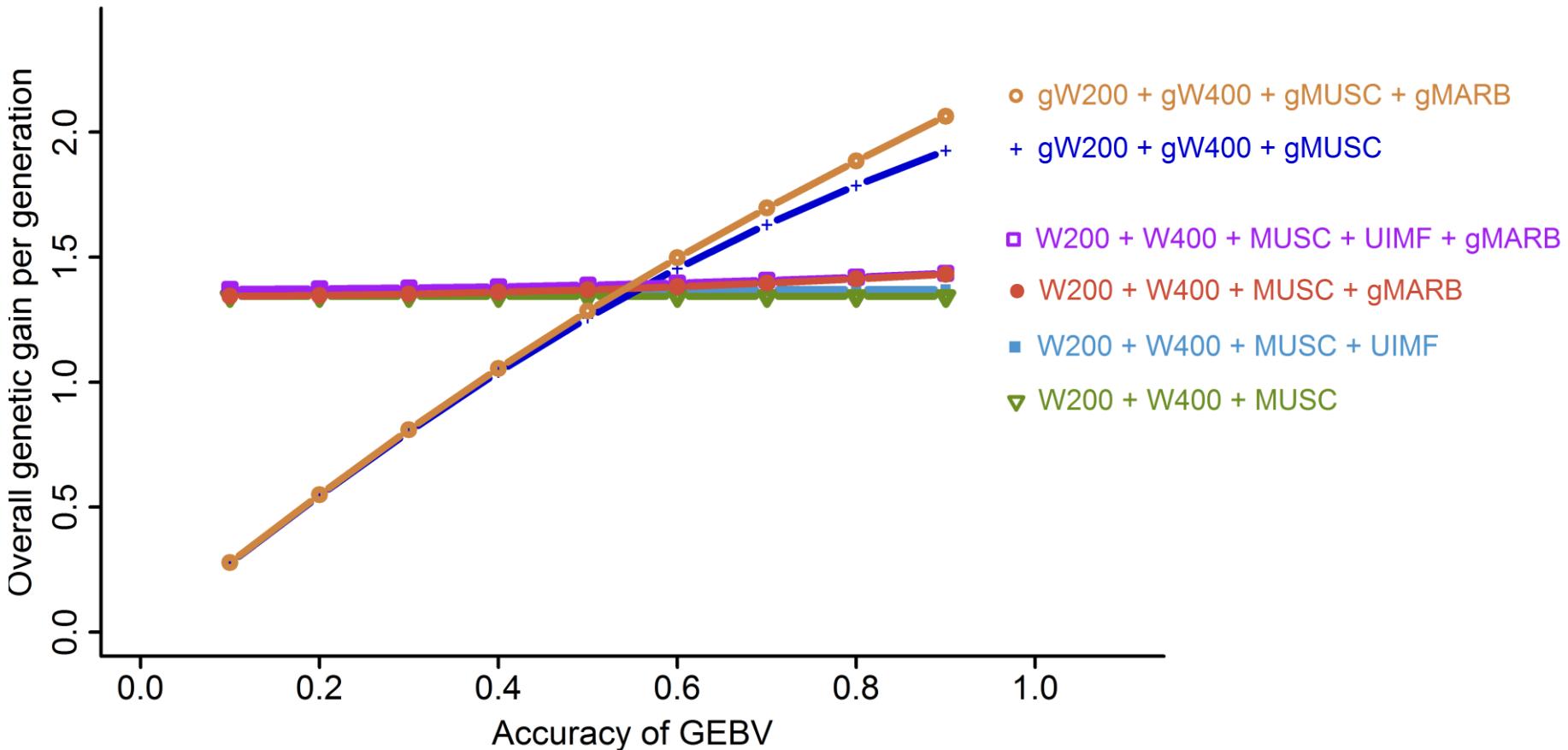
$$\hat{M}_e = \frac{2N_e L}{\log(4N_e L)}$$

- $M_e$  → number of independent chromosome segments;
- $L$  → genome length (30 M);
- $N_e$  → effective population size (100).



# Results

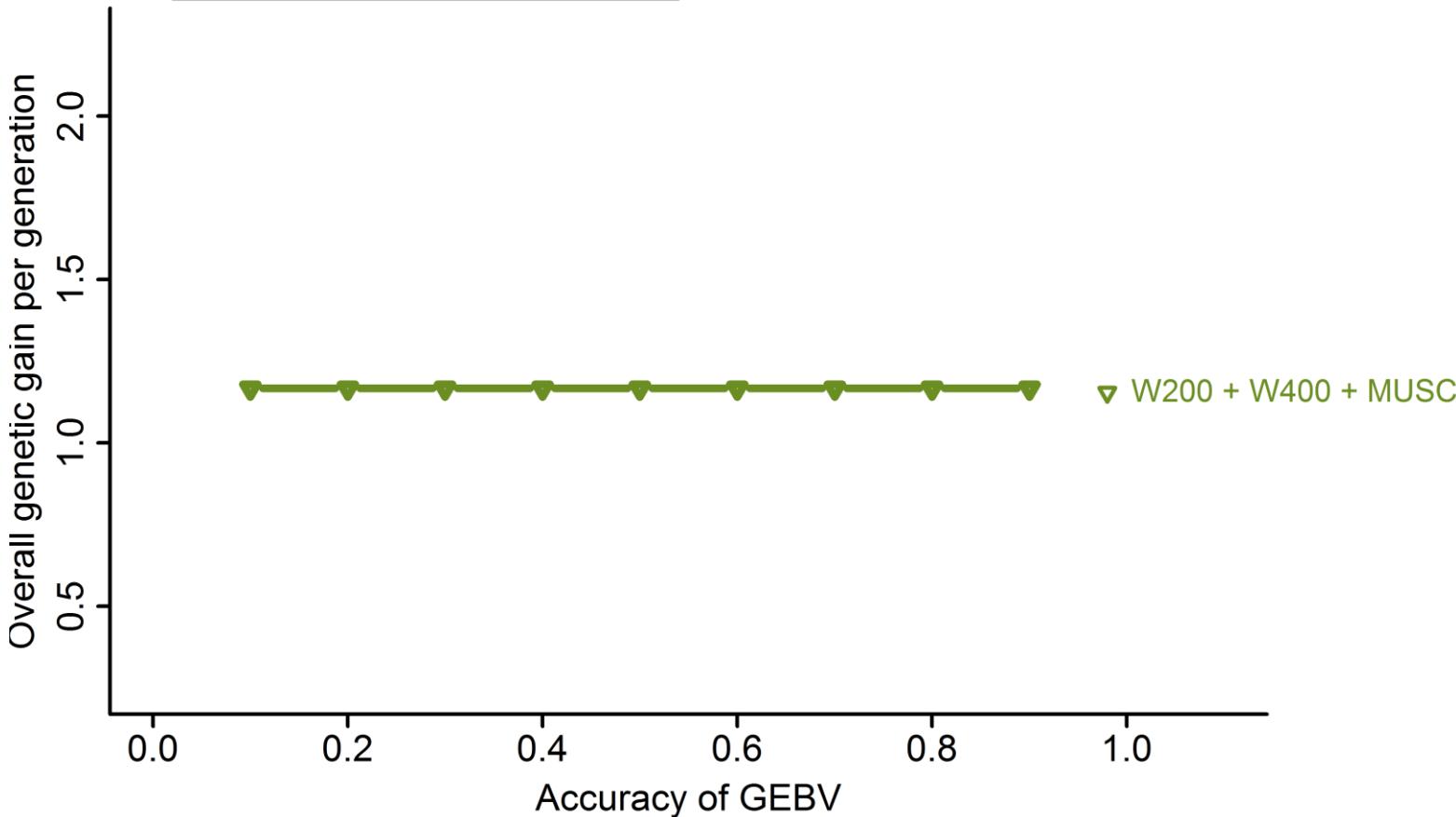
Same weight on all traits





# Results

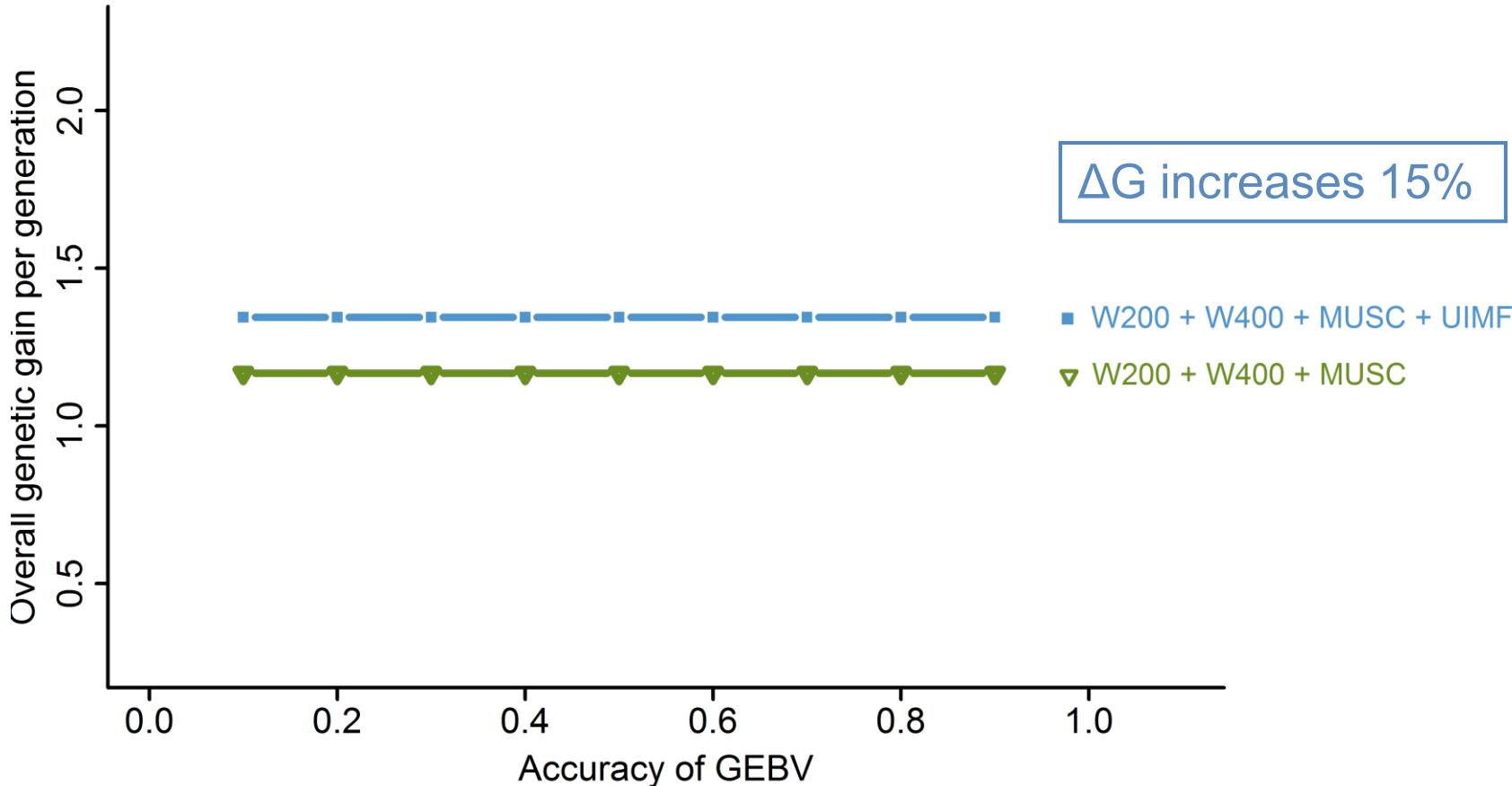
Weight on MARB is doubled





# Results

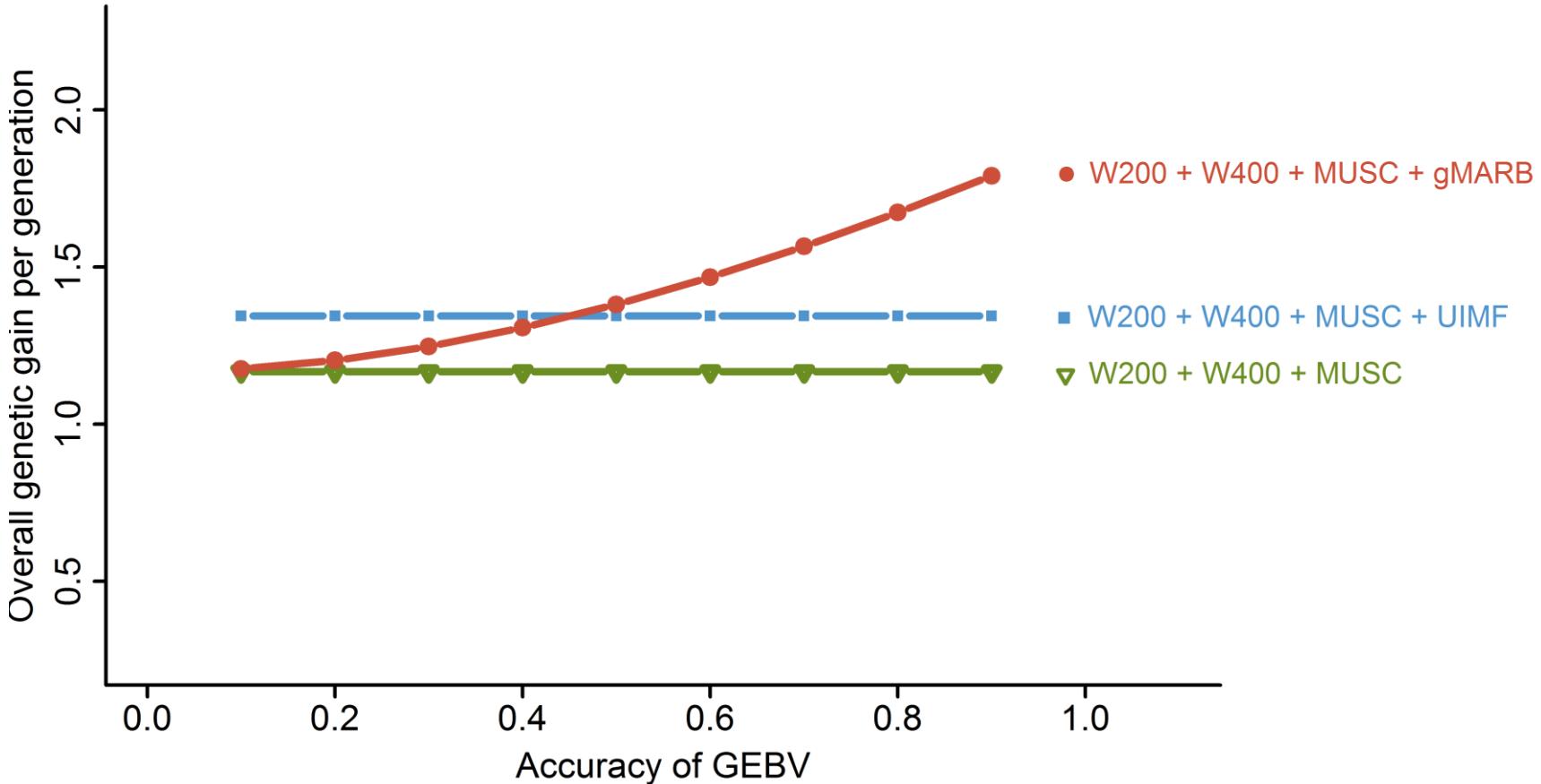
Weight on MARB is doubled





# Results

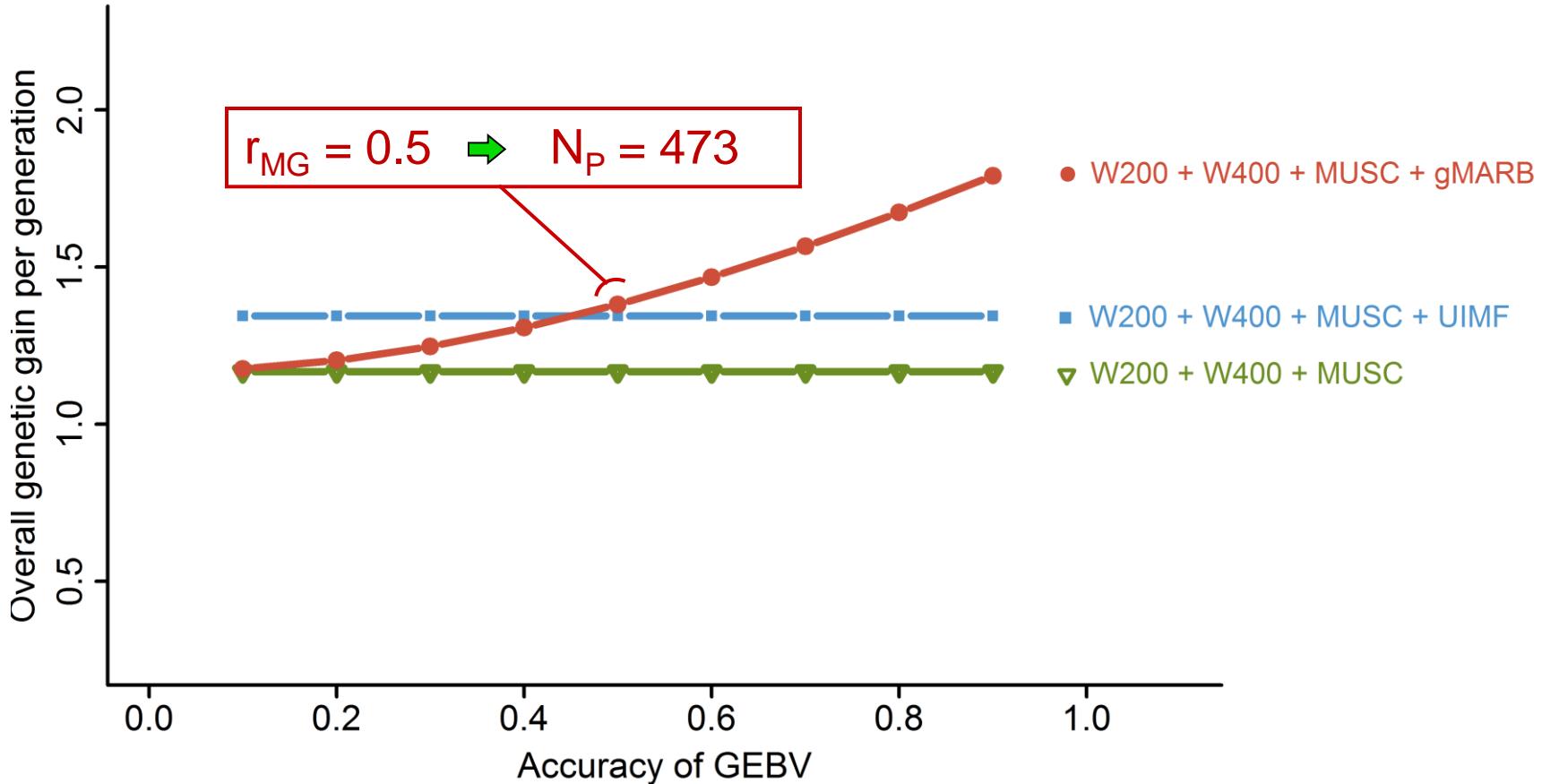
Weight on MARB is doubled





# Results

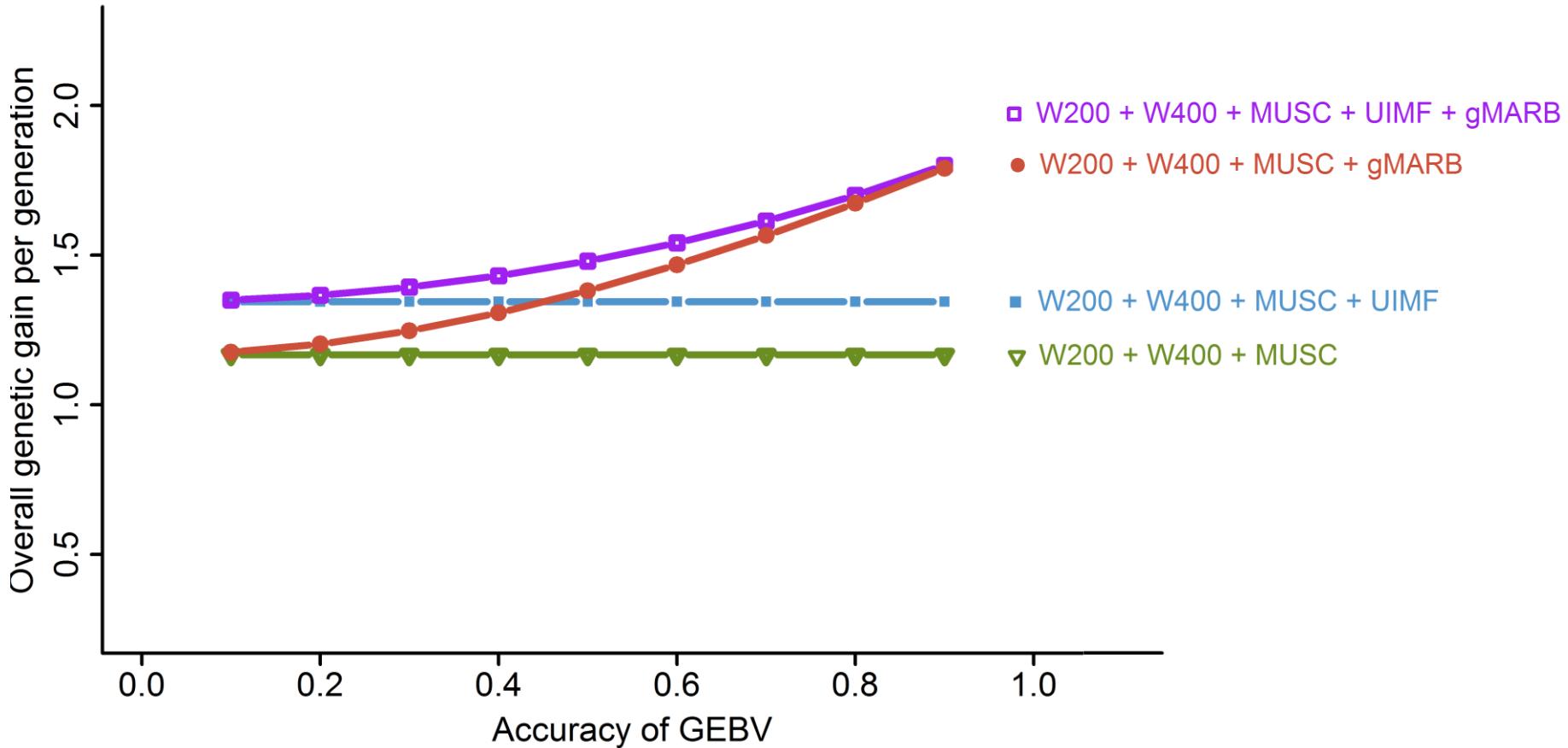
Weight on MARB is doubled





# Results

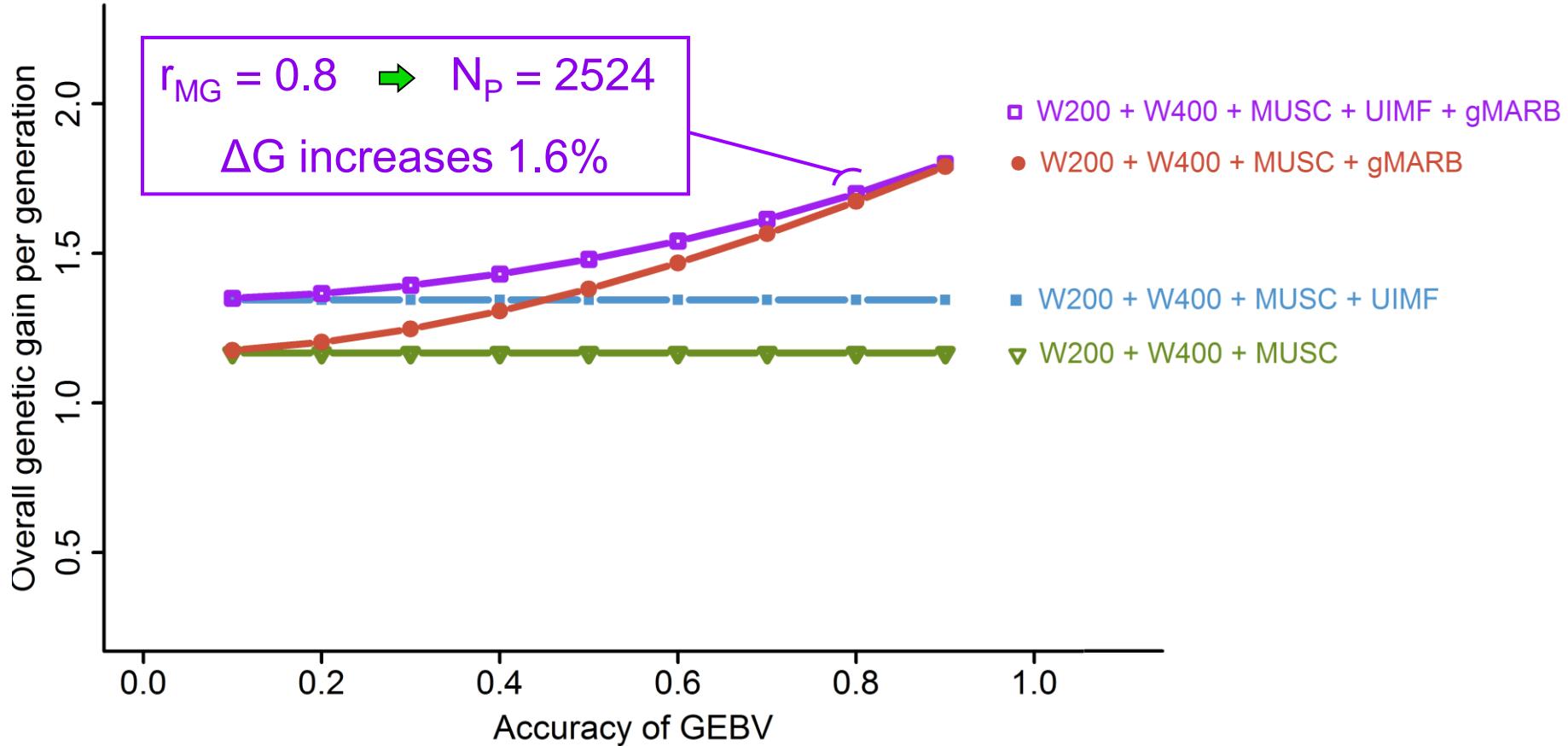
Weight on MARB is doubled





# Results

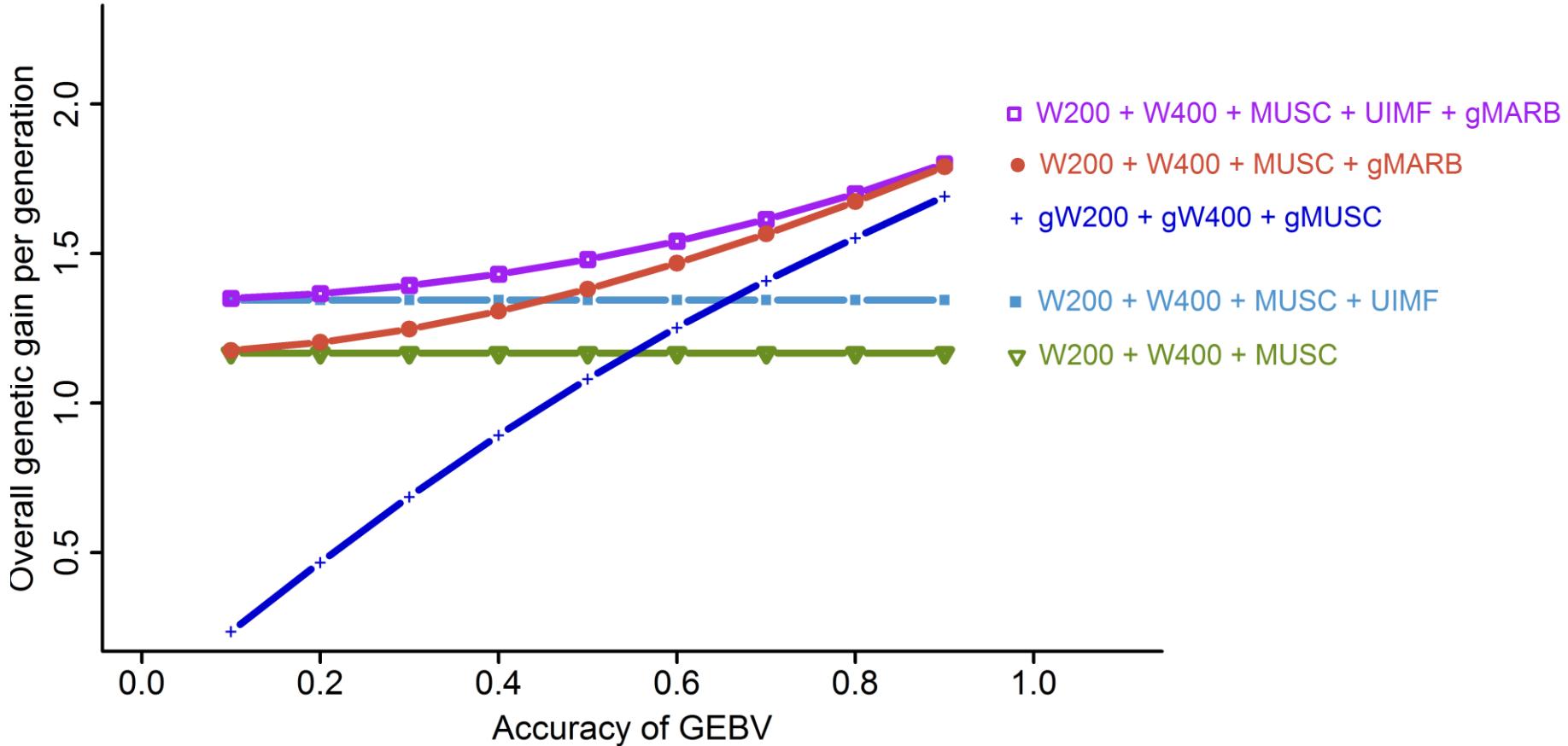
Weight on MARB is doubled





# Results

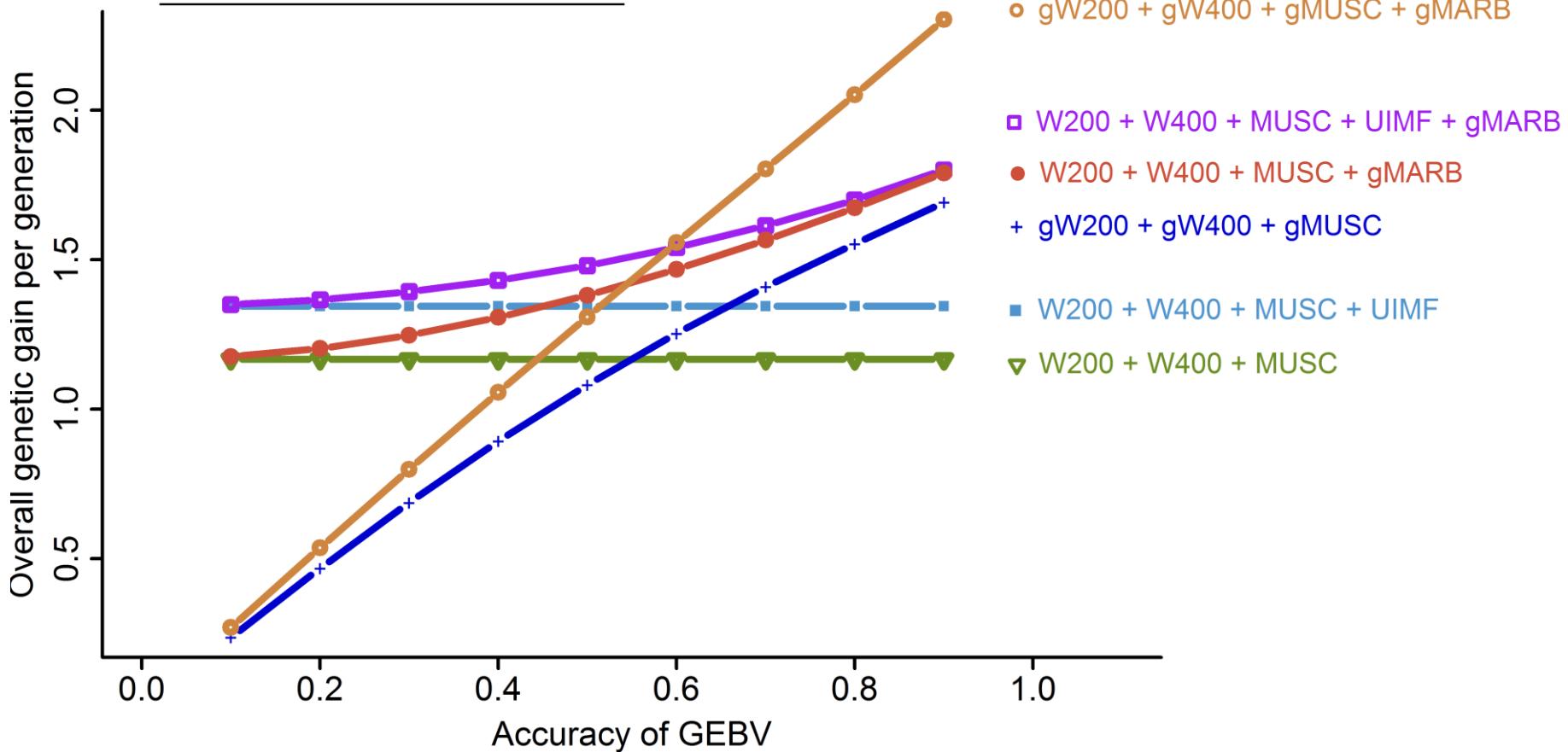
Weight on MARB is doubled





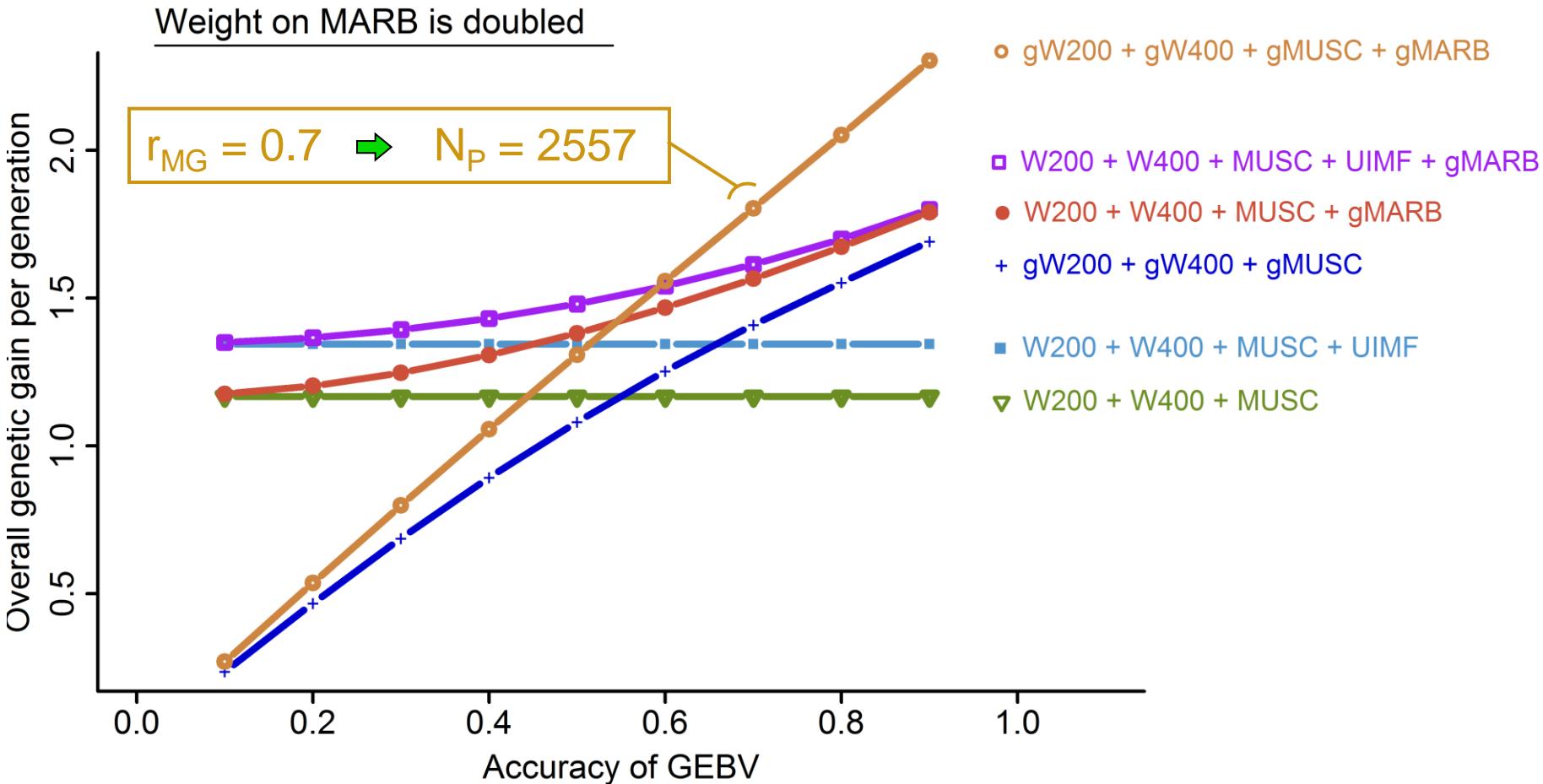
# Results

Weight on MARB is doubled





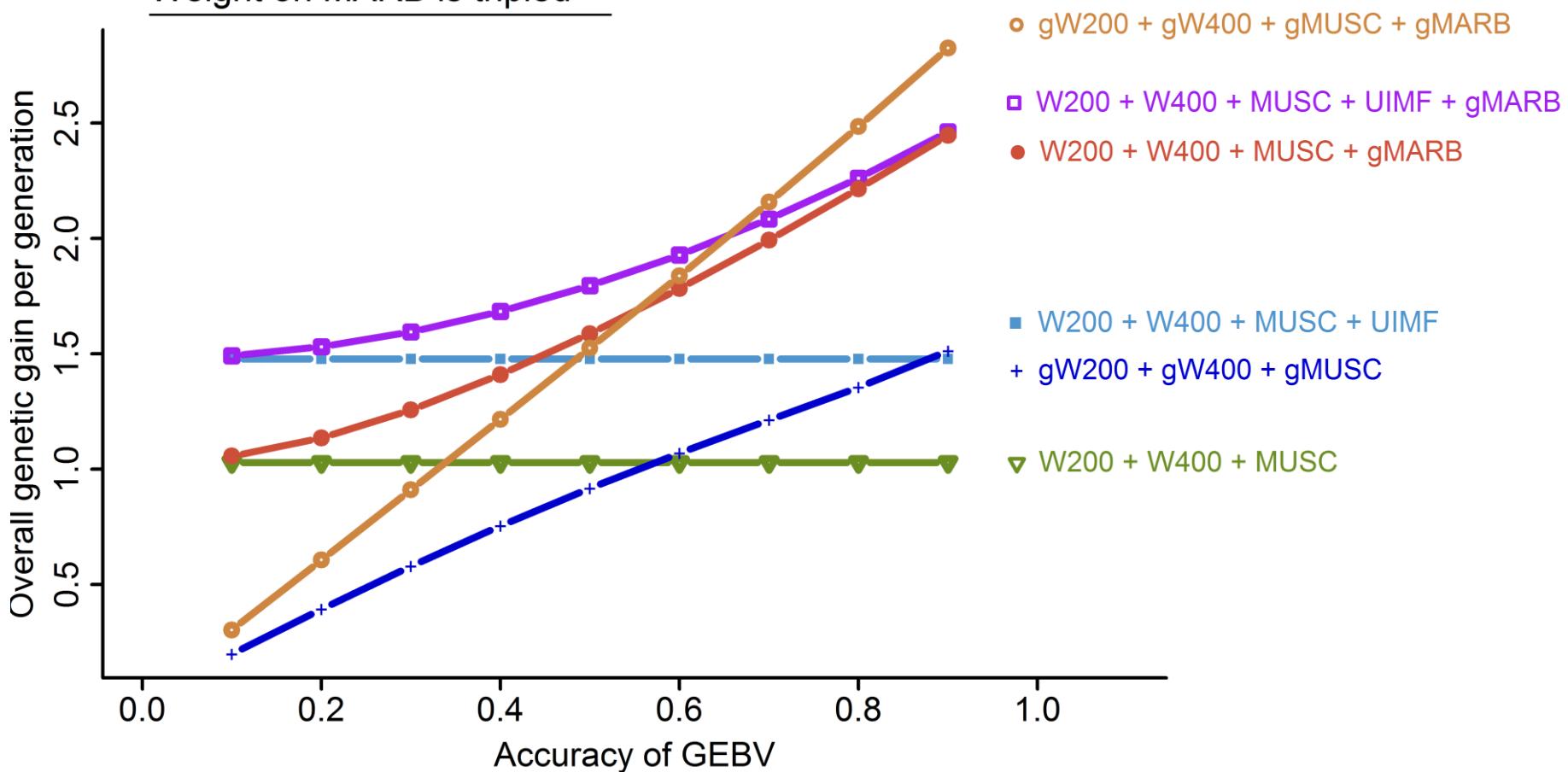
# Results





# Results

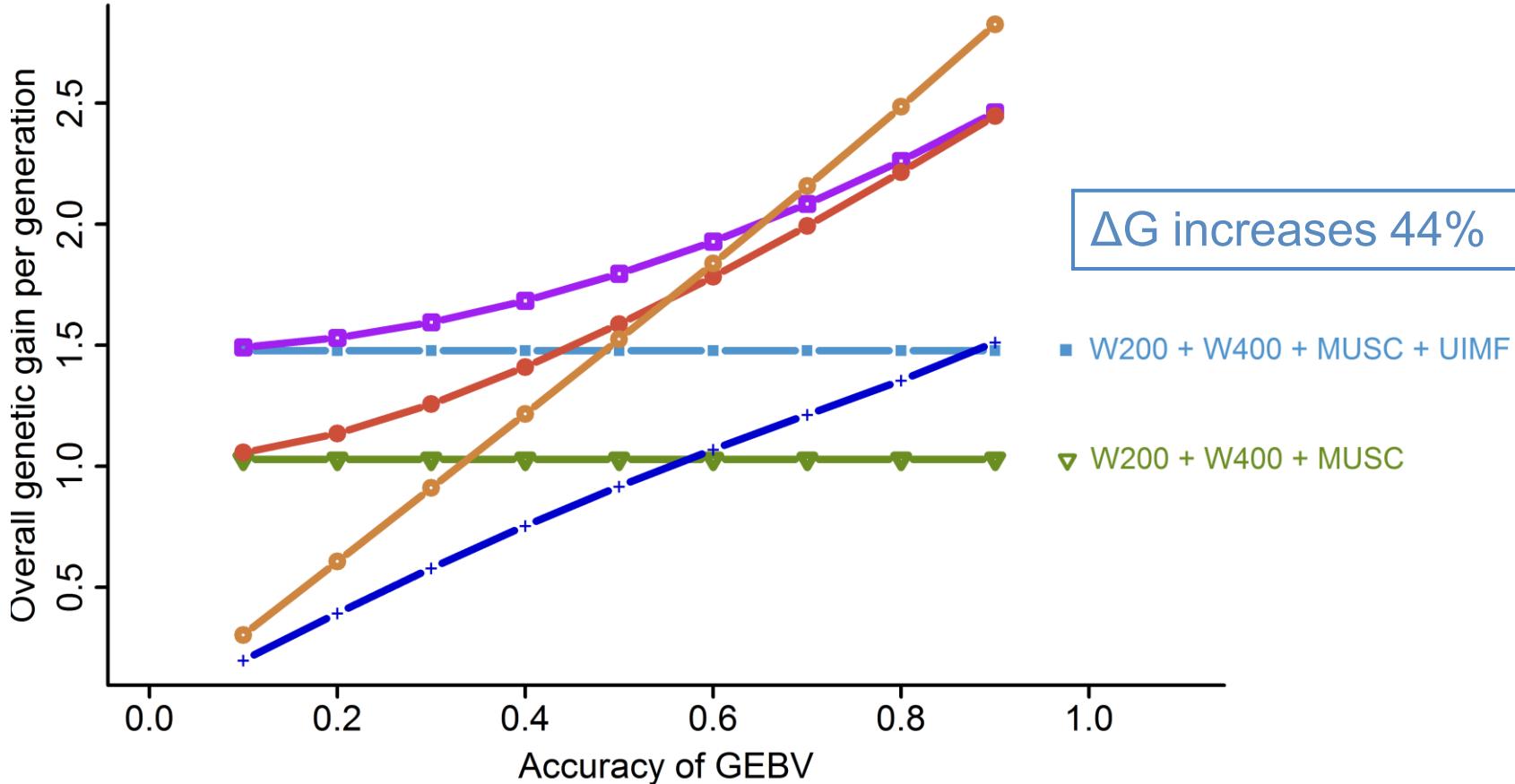
Weight on MARB is tripled





# Results

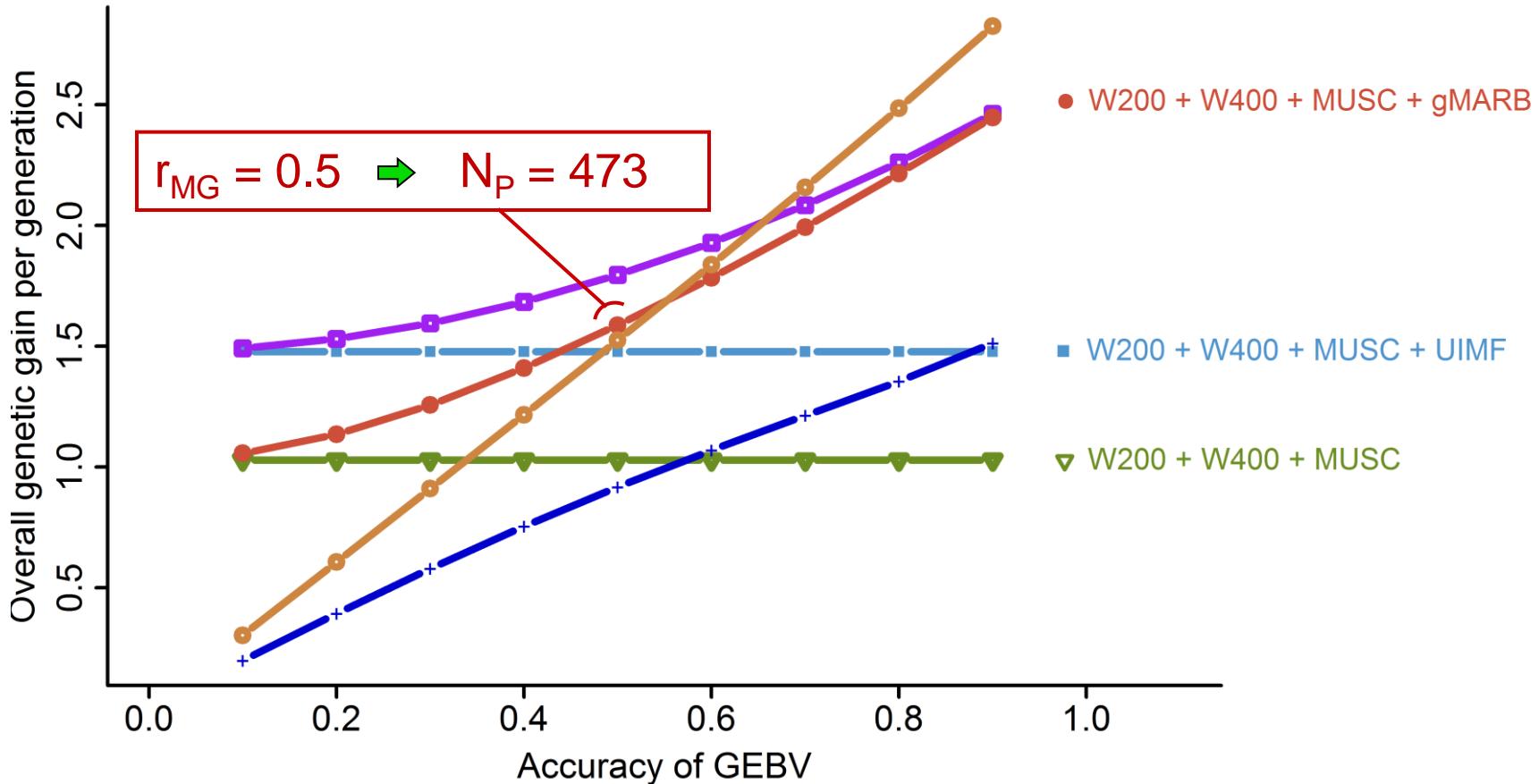
Weight on MARB is tripled





# Results

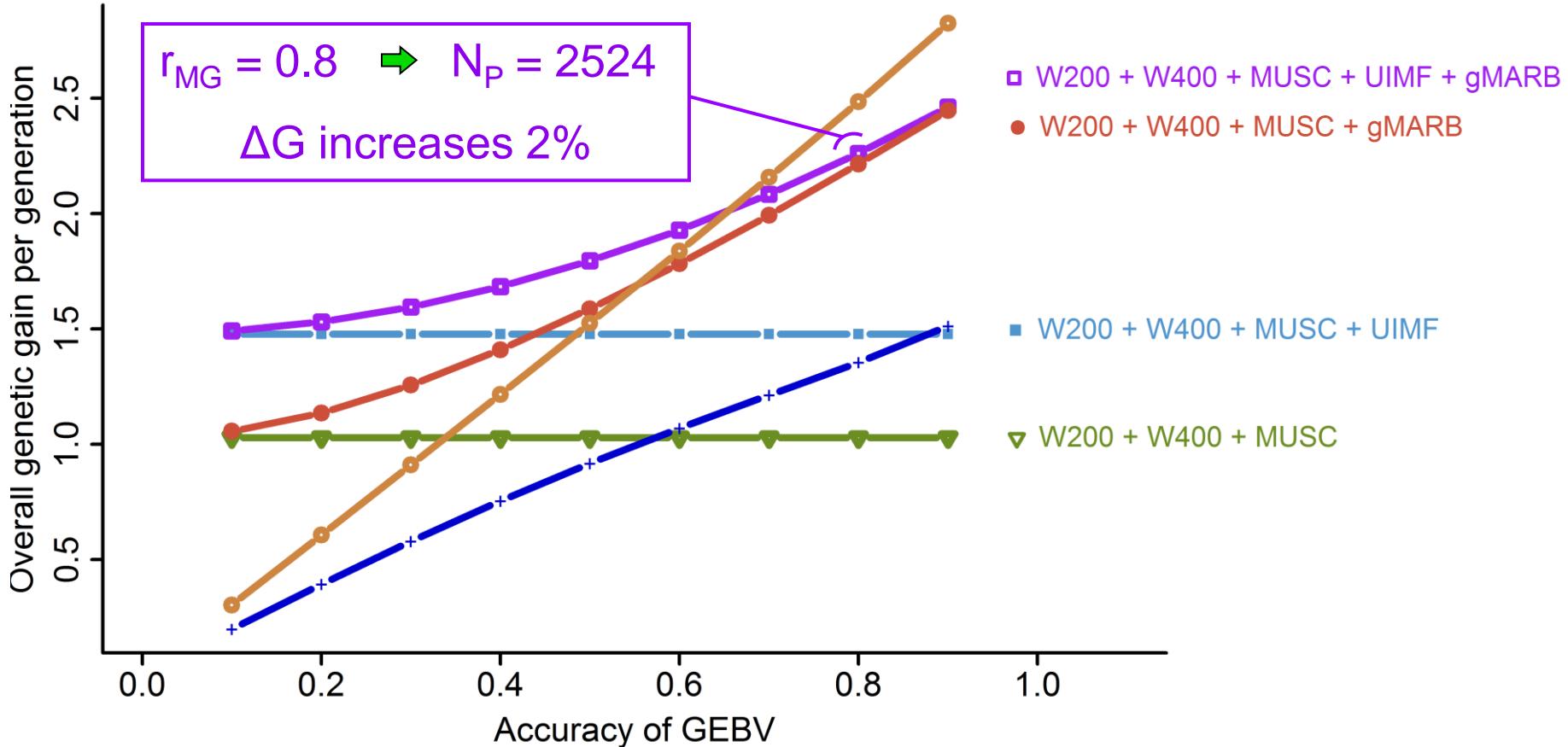
Weight on MARB is tripled





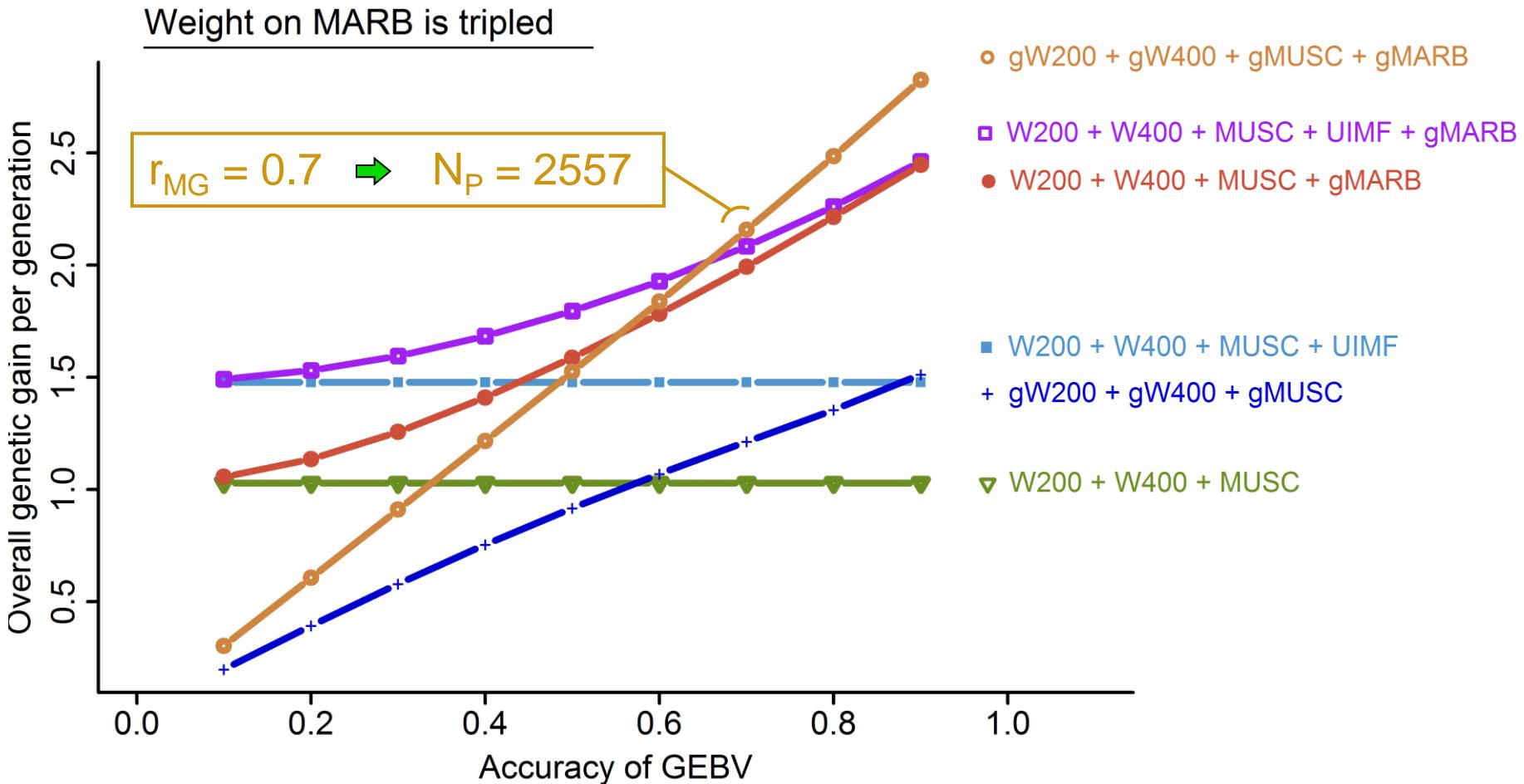
# Results

Weight on MARB is tripled





# Results





## Concluding remarks

---

- Setting up a reference population of ~500 animals for using **gMARB** could suffice to obtain larger response to selection than using **UIMF**.
- With ~2500 animals, adding **UIMF** to an index already **gMARB** would bring little benefit, unless the economic weight for **MARB** is much larger than for other traits.



# Thanks

---

