



Genome partitioning of genetic variance for production traits in Holstein cattle

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Introduction



- SNP chips with very many markers
- Genomic (realized) relationships
- Genome-wise or chromosome-wise

Objective



- use dense marker information to partition genetic variance of important dairy traits across chromosomes



- 2294 Holstein bulls (call rate > 0.97)
- 39557 SNPs (Illumina BovineSNP50 BeadChip)
 - call rate > 0.95
 - MAF > 0.05
 - known position
 - no missing (imputed with fastPHASE)

Material



- EBVs for milk (kg), fat (%), protein (%), SCS

Variable	Mean	Std. dev.	Minimum	Maximum
EBV_milk	730.3836	611.4743	-1362.00	2892.00
EBV_fat	-0.0974	0.2939	-1.01	1.05
EBV_protein	-0.0280	0.1187	-0.47	0.50
EBV_SCS	100.3749	12.0940	58.00	139.00
Accuracy_mkg	94.2367	2.1118	88.00	99.00
Accuracy_scs	87.9743	4.2974	76.00	99.00

Methods



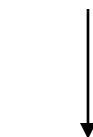
- Marker-based kinship coefficients
 - Eding & Meuwissen (2001)

$$S_{xy,l} = 1/4[I_{11} + I_{12} + I_{21} + I_{22}]$$

where I_{ij} is an indicator variable which is 1 when allele i on locus l in the first individual and allele j on the same locus in the second individual are identical, otherwise it is 0.

S_{xy} is an unbiased estimator of kinship when founder alleles are unique

$$E(S_{ij}) = f_{ij} + (1 - f_{ij})s$$



P(IBD)



P(AIS)

$$\hat{f}_{ij} = \frac{S_{ij} - s}{1 - s}$$

Methods



- Marker-based kinship coefficients
 - Eding & Meuwissen (2001)

$$\hat{f}_{ij} = \frac{S_{ij} - s}{1 - s}$$

$s = S_{ff} = \sum q_k^2$, where S_{ff} is the similarity in the founder population
and q_k is the frequency of the k th allele in the founder population

- Gengler et. al (2007)

Methods



- Variance component estimation
 - Method 1 (REML)

$$\mathbf{y} = \boldsymbol{\mu} + \mathbf{Z}\mathbf{g} + \boldsymbol{\varepsilon} \quad \left\{ \begin{array}{l} \boldsymbol{\varepsilon} \sim \mathbf{N}(\mathbf{0}, \mathbf{I}\sigma_{\varepsilon}^2) \\ \mathbf{g} \sim \mathbf{N}(\mathbf{0}, \mathbf{G}\sigma_{\mathbf{g}}^2) \end{array} \right.$$

- full model: whole genome
- reduced model: all chromosomes but one
- fitted with ASReml[®]
- reduction in proportion of variance due to $\mathbf{g}$

Methods



- Variance component estimation
 - Method 2 (regression)

Heredity **84** (2000) 427–436

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Estimating variance components in natural populations using inferred relationships

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$$Z_i = [(y_i - \bar{y})(y'_i - \bar{y})] / \hat{\sigma}^2 \qquad Z_i = 2r_i h^2 + e_i$$

- chromosomal kinship

Methods



- Variance component estimation
 - Method 3 (WGA)

- Step 1:

$$y_i = \mu + \sum_{j=1}^p x_{ij} b_j + e_i$$

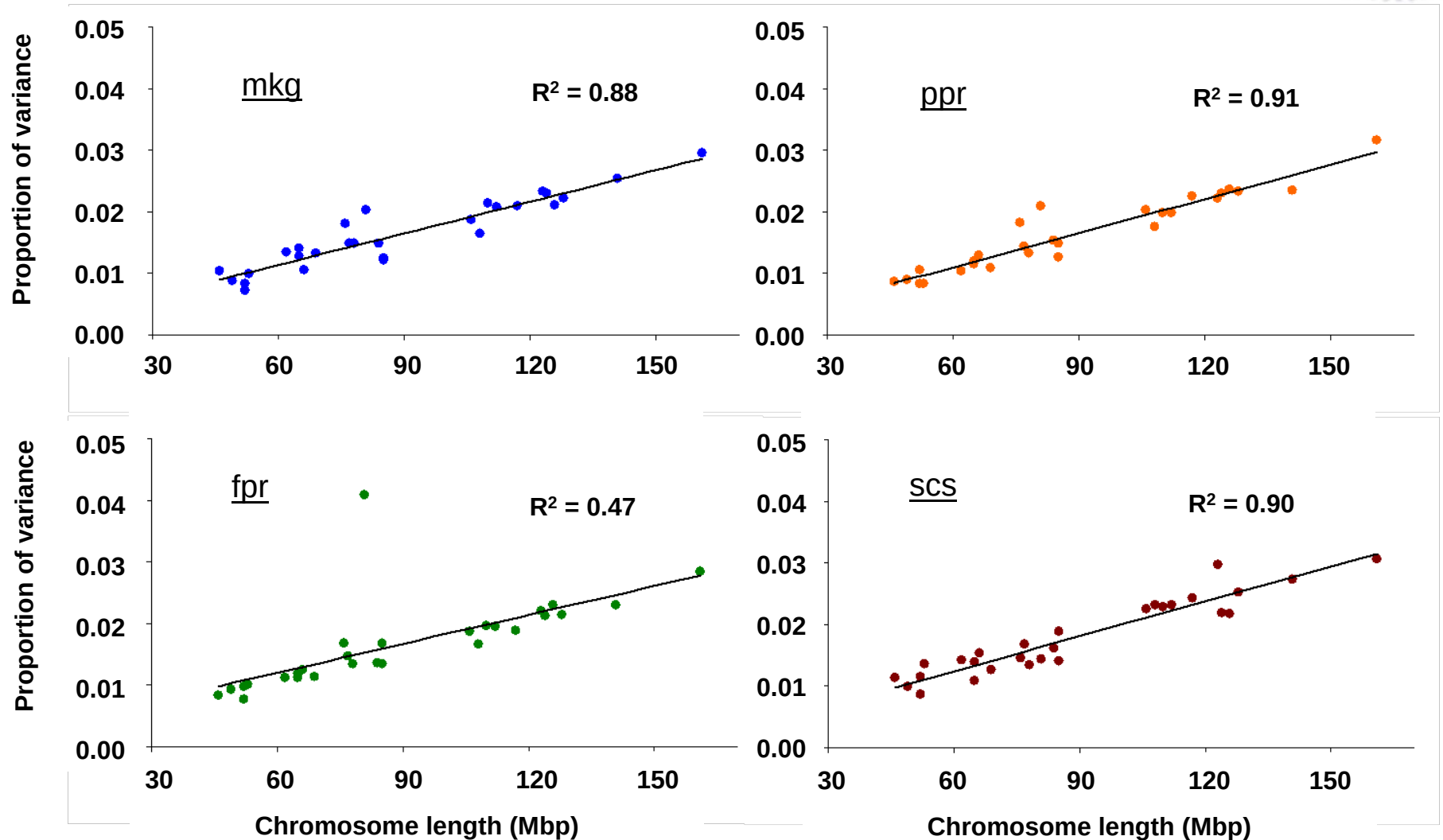
$$\begin{bmatrix} \hat{\mu} \\ \hat{\mathbf{b}} \end{bmatrix} = \begin{bmatrix} \mathbf{1}^t \mathbf{W} \mathbf{1} & \mathbf{1}^t \mathbf{W} \mathbf{X} \\ \mathbf{X}^t \mathbf{W} \mathbf{1} & \mathbf{X}^t \mathbf{W} \mathbf{X} + \mathbf{I} \lambda \end{bmatrix}^{-1} \begin{bmatrix} \mathbf{1}^t \mathbf{W} \mathbf{y} \\ \mathbf{X}^t \mathbf{W} \mathbf{y} \end{bmatrix}$$

$$\mathbf{W}_{ii} = \hat{\mathbf{r}}_{\text{EBV}_i, \text{TBV}_i}$$

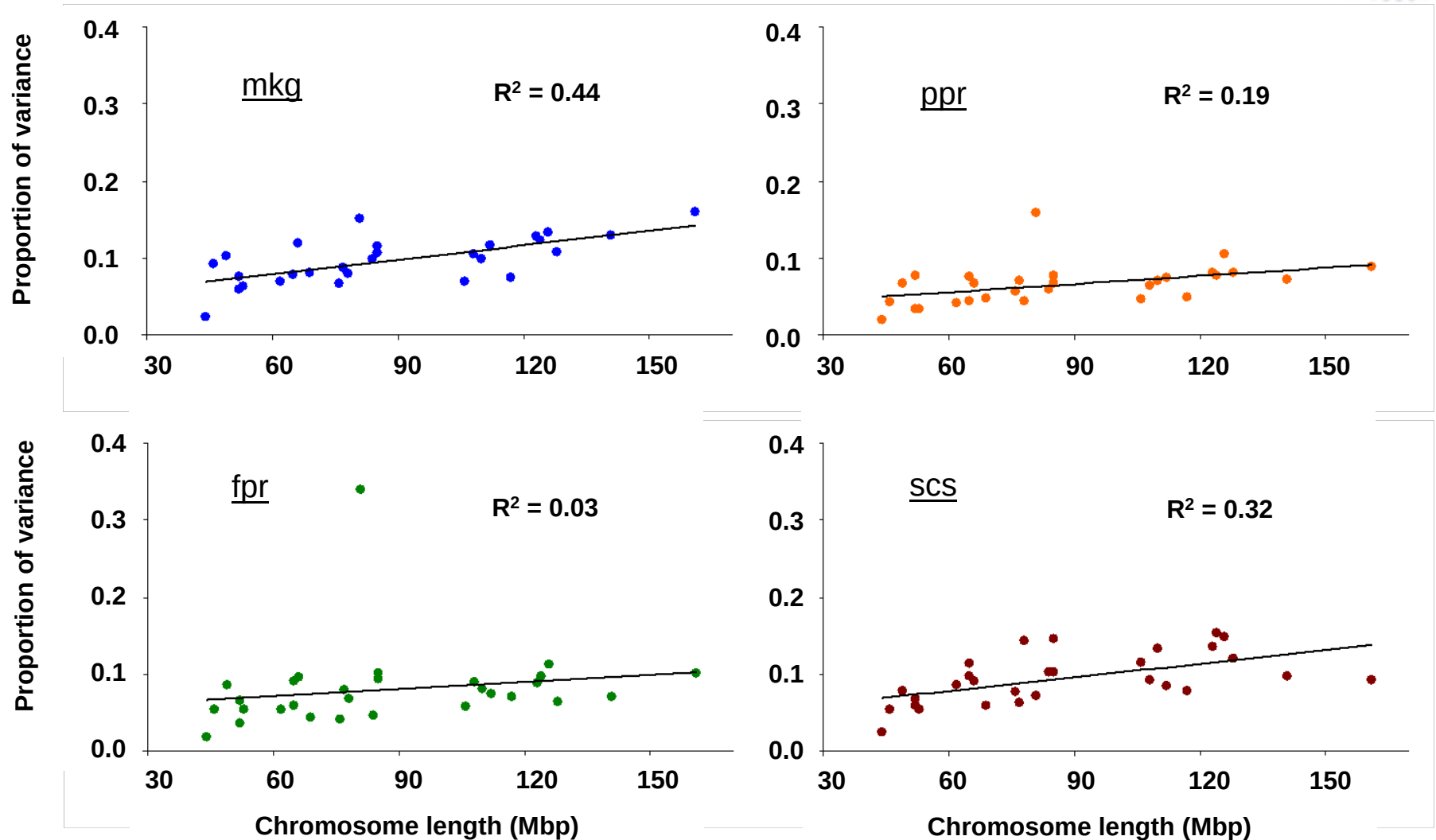
$$\lambda = \frac{\sigma_e^2}{\sigma_{\text{SNP}}^2} \quad \sigma_{\text{SNP}}^2 = \frac{\sigma_a^2}{p}$$

- Step 2: $\hat{\sigma}_{\text{SNP}}^2 = 2p(1-p)\hat{b}_j^2$

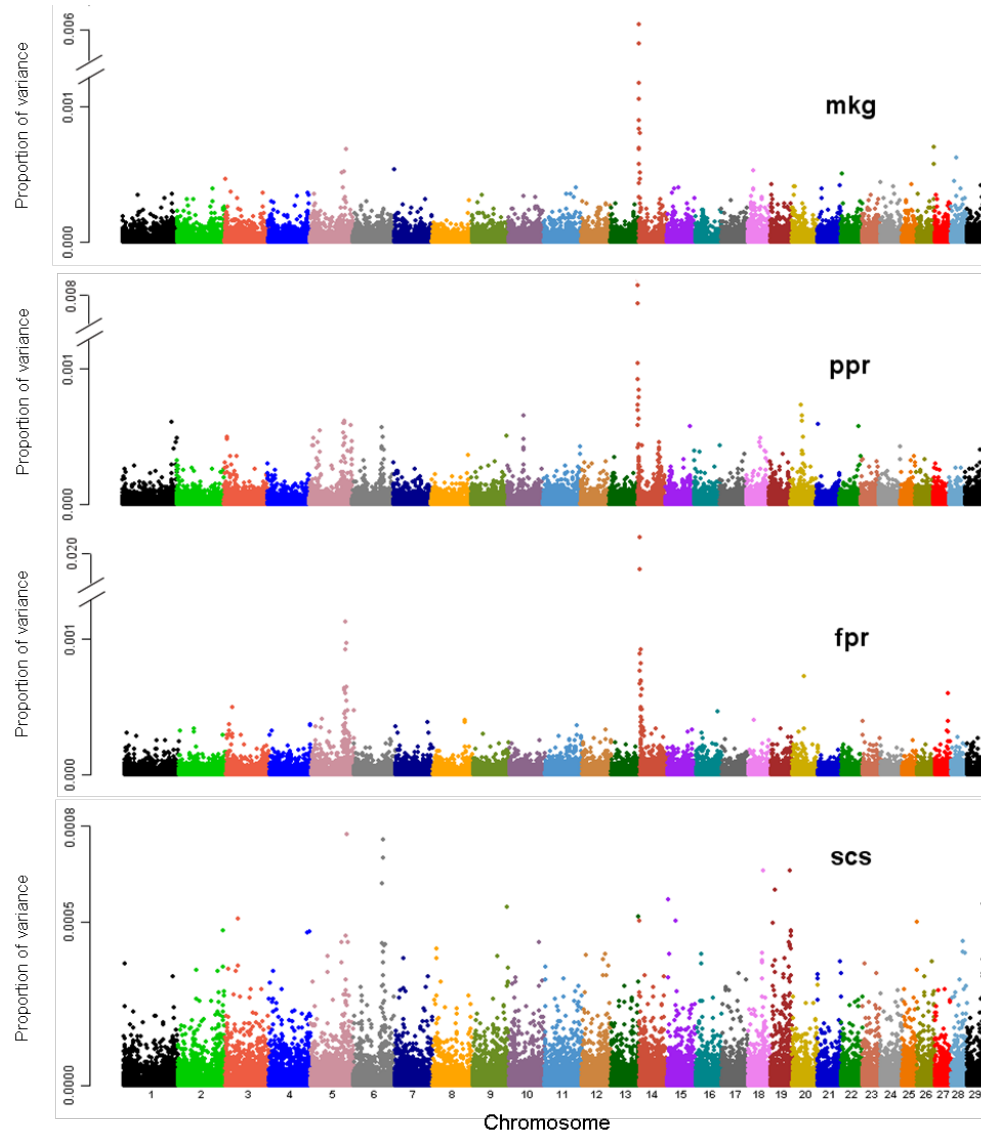
Results – method 1



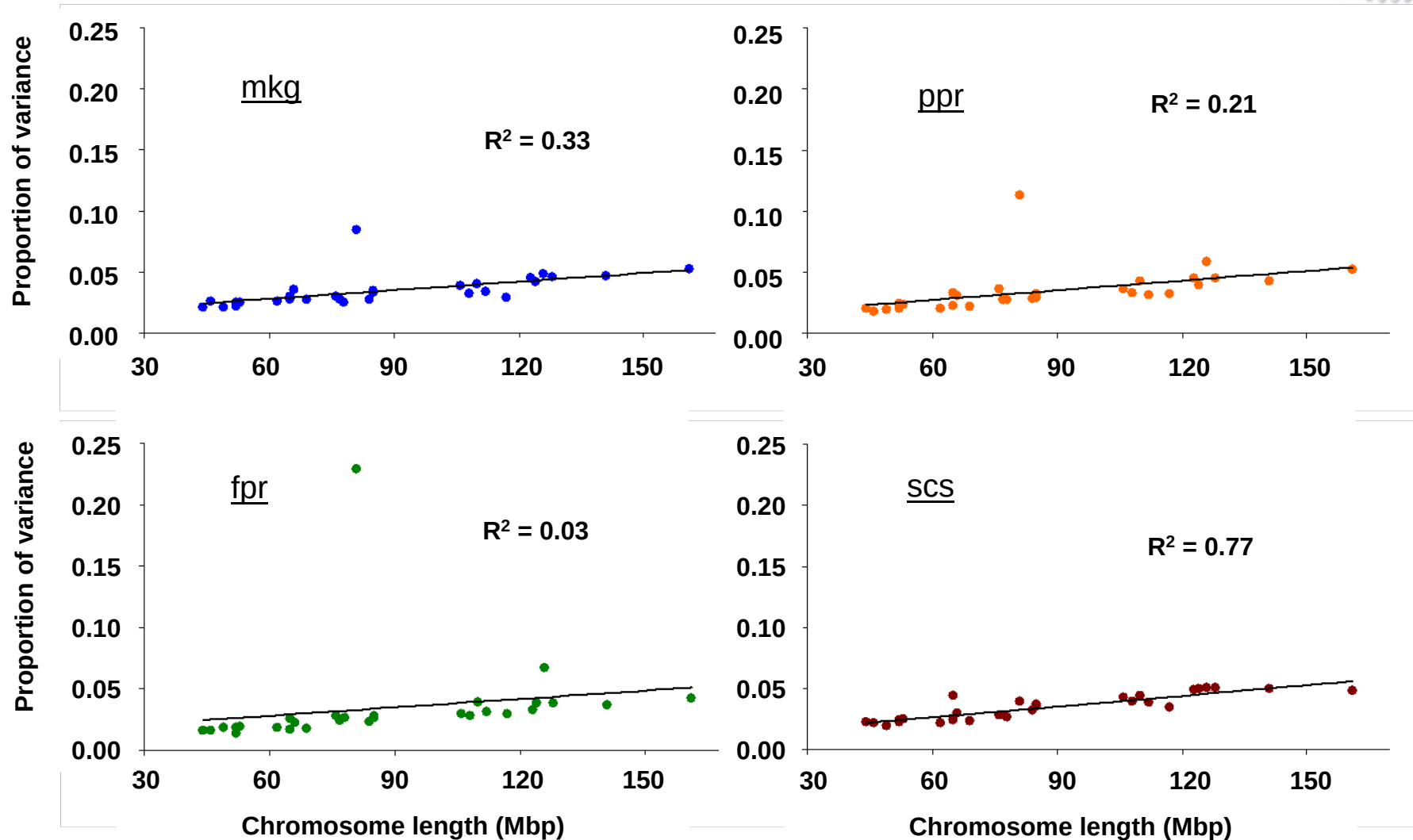
Results – method 2



Results – method 3



Results – method 3



Discussion



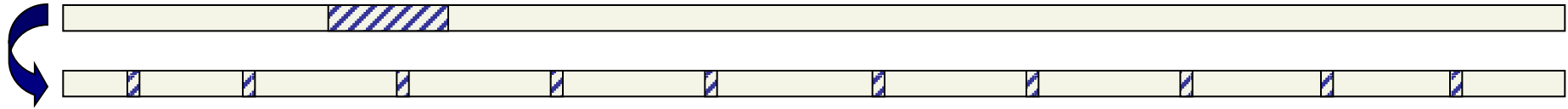
R^2 fitting a regression without Chrom. 14:

	Milk (kg)	Fat (%)	Protein (%)	SCS
Method 1	0.91	0.95	0.94	0.90
Method 2	0.52	0.27	0.40	0.32
Method 3	0.82	0.64	0.77	0.79

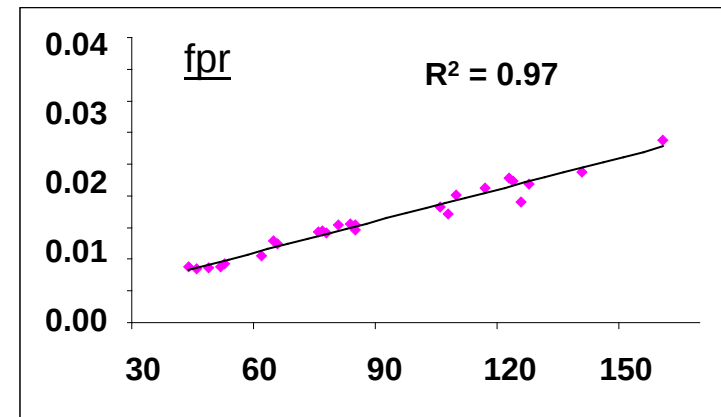
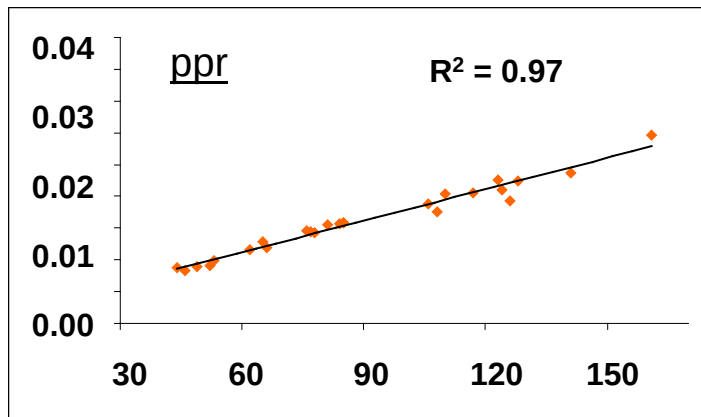
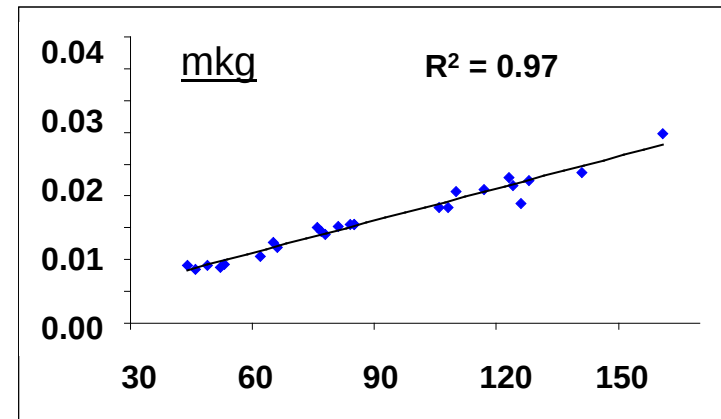
Visscher et al. 2007 (height in humans):

“In general, the longer the chromosome,
the more variation it explains.”

Results – ‘control’



“segment” (# of markers) of the size of a chromosome, but “pulverized” randomly across the genome



Conclusions



- Results from methods 1 to 3:
 - larger chromosomes explain more variance
 - exception for genes with large effects
- Results from “control”:
 - more markers explain more variance
 - suggests the use of denser panels
- Results from method 3:
 - suggests variances for use in genomic selection

Acknowledgments



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