



**Faculty of Agricultural and
Nutritional Science**

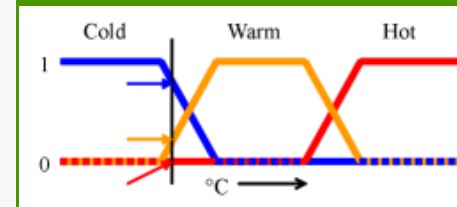
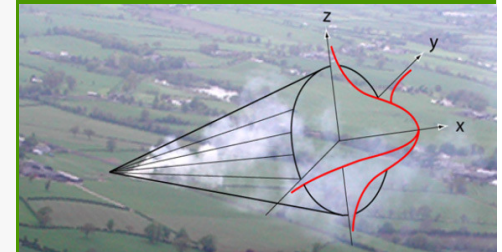
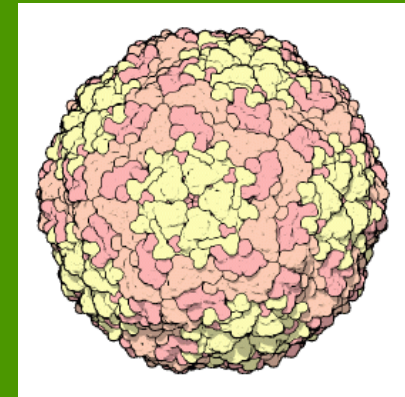
C | A | U

**Christian-Albrechts-University
Kiel**
Institute of Animal Breeding and
Husbandry

Using Fuzzy Logic to model airborne spread of foot and mouth disease

Imke Traulsen and Joachim Krieter

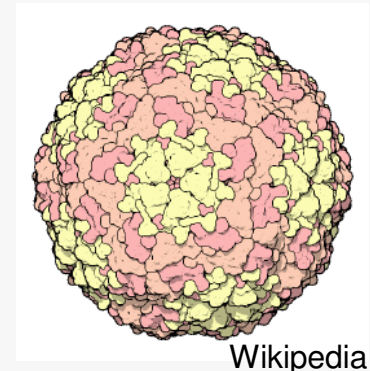
**Institute of Animal Breeding and Husbandry
Christian-Albrechts-University, Kiel
itraulsen@tierzucht.uni-kiel.de
Session 54, Abstract 4469**





Foot and mouth disease (FMD) □

- Highly contagious virus
- Affects all cloven hoofed animals
 - Cattle, pigs, sheep
- Clinical signs
 - Vesicles on tongue, udder, inter-digital space
 - Used to estimate when animal was infected
- Transmission via:
 - Direct animal-to-animal contact
 - Indirect contacts of personnell and vehicles
 - **Airborne spread**



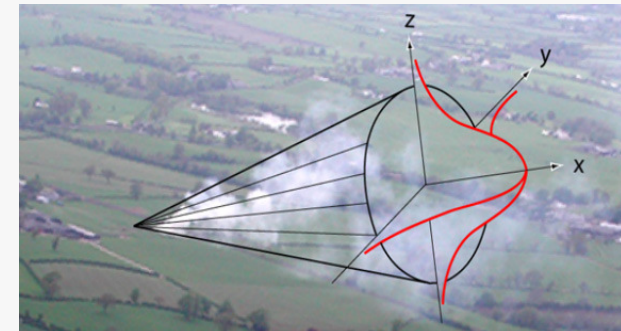


Modeling airborne FMD transmission

- Simulation models for FMD to evaluate control strategies to be prepared if FMD outbreak occurs

→ need to model airborne FMD spread

- Gaussian Dispersion model:
 - Puff of virus particles
 - Relatively easy to calculate
 - Does not account for topography
- Lagrangian particle model:
 - Trajectories of the virus particles
 - Complex model
 - Accounts for topography



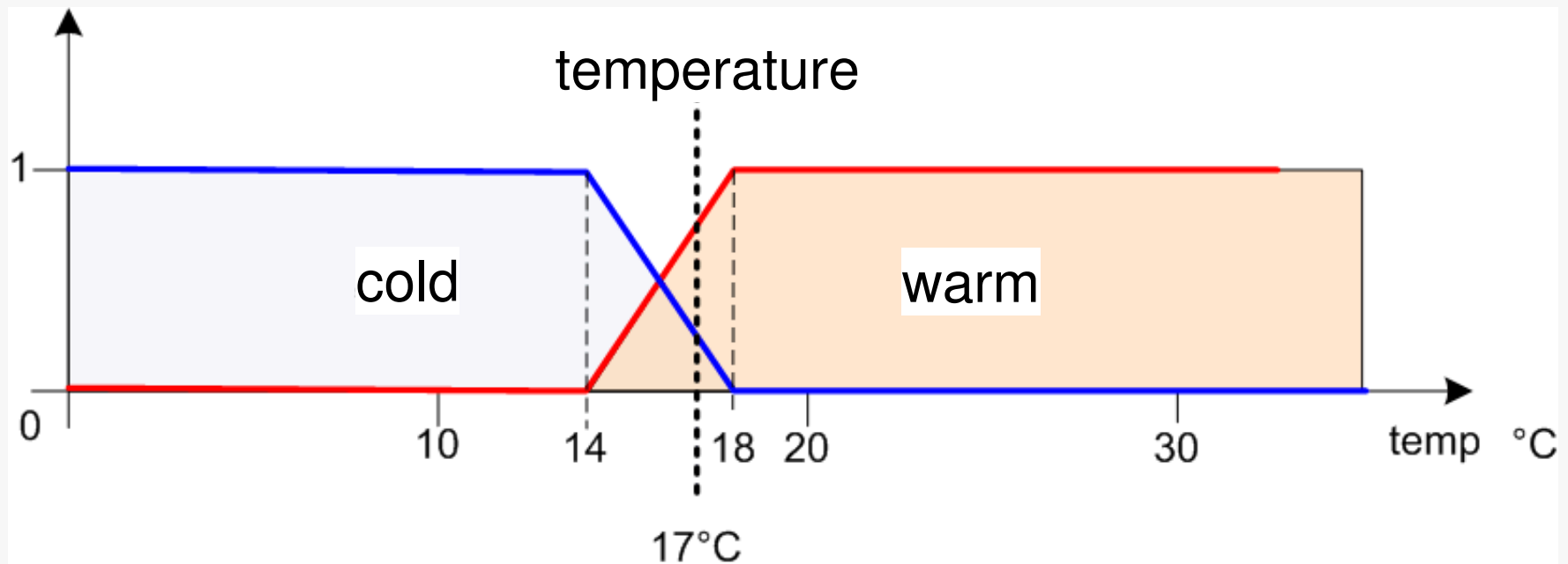
Schachner, 2005

$$\bar{c}(x, y, z) = \frac{Q}{2\pi\bar{u}\sigma_y\sigma_z} \exp\left(-\frac{y^2}{2\sigma_y^2}\right) \left[\exp\left(-\frac{(z-h)^2}{2\sigma_z^2}\right) + \exp\left(-\frac{(z+h)^2}{2\sigma_z^2}\right) \right]$$
$$\sigma_y = B\left(\frac{x}{u}\right)^\beta, \sigma_z = A\left(\frac{x}{u}\right)^\alpha$$



Fuzzy Logic

- Linguistic variables
- Membership functions





Fuzzy Logic

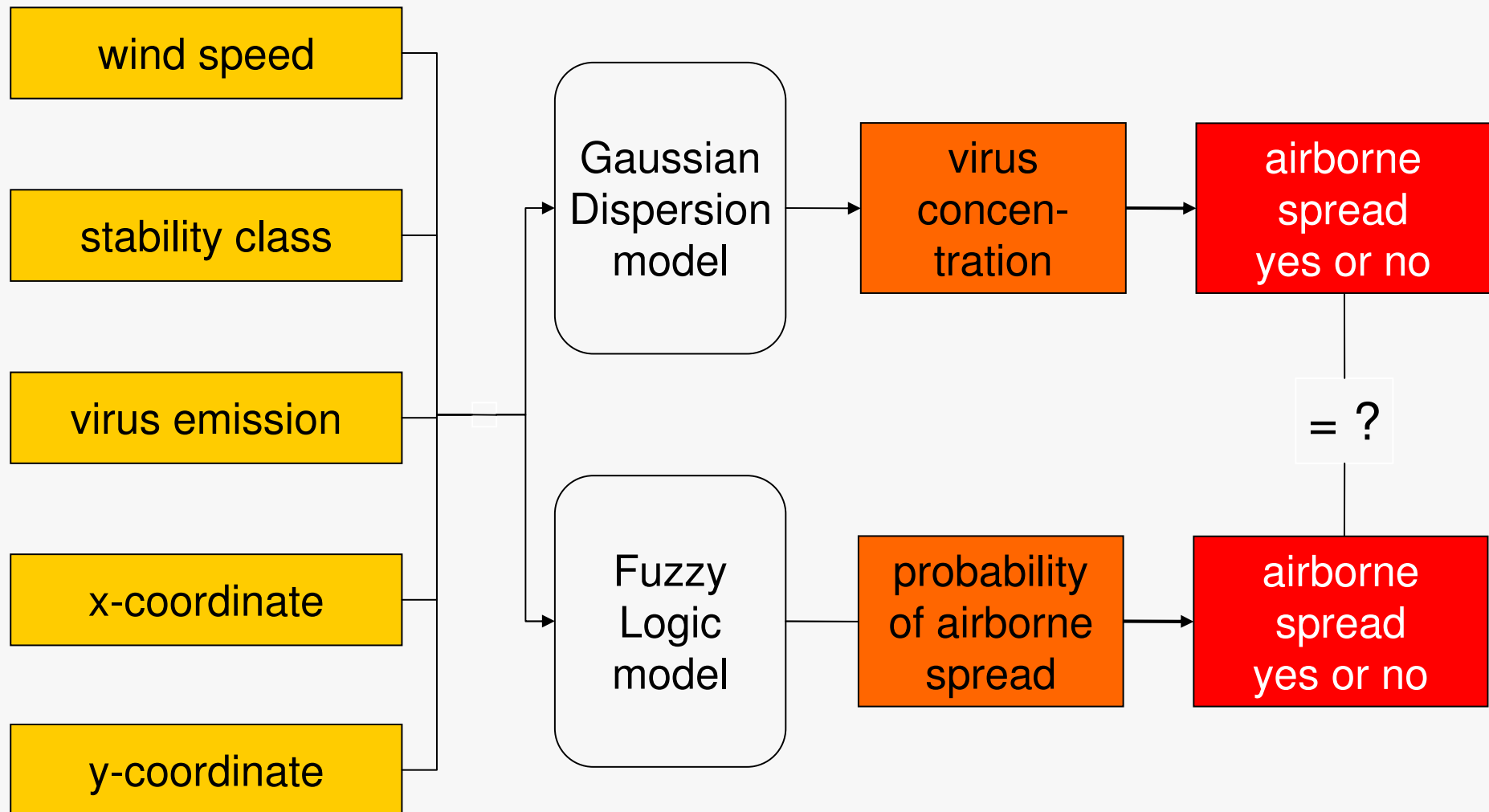
Assuming

- a minimum of 65-70 % relative humidity,
- medium temperatures,
- a low to medium wind speed,
- a constant wind direction,
- stable atmospheric conditions,
- and a flat topography,

the FMD virus can be spread even over large distances over land and water.



Gaussian und Fuzzy model





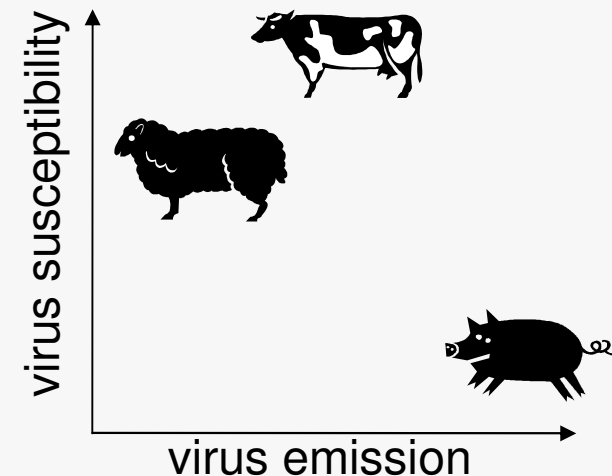
Data

- weather data from Vienna, 2004

relative frequency (%) of wind speed and stability class combinations

		Wind speed (m/s)										
		1	2	3	4	5	6	7	8	9	10	12
Stability class	3		1.1	0.3								
	4	0.8	12.8	18.0	17.2	12.3	13.7	6.3	5.7	3.6	1.1	0.3
	5	1.4	1.9	2.2	0.8	0.3	0.3					

- species-specific virus emission and susceptibility





Study design

Parameters and their ranges for the different models

Input parameter	Gaussian	Fuzzy 1	Fuzzy 2	Fuzzy 3
x (m)	$0 < x \leq 10,000$	$0 < x \leq 10,000$	$0 < x \leq 10,000$	$0 < x \leq 10,000$
y (m)	$0 < y \leq 10,000$	$0 < y \leq 3,000^A$	$0 < y \leq 3,000^A$	$0 < y \leq 3,000^A$
Q (TCID ₅₀ /m ³ and day)	$0 \leq Q \leq \infty$	$Q = 4 * 10^{10} B$	$Q = 4 * 10^{10} B$	$Q = 4 * 10^{10} B$
u (m/s)	$1 \leq u \leq 12$	$u = 4$	$1 \leq u \leq 12$	$1 \leq u \leq 12^C$
Stability class	$2 \leq s \leq 7$	$s = 4$	$s = 4$	$s = \{3, 4, 5\}^C$

^A: larger y values always result in no airborne transmission

^B: refers to 100 pigs with max. virus emission

^C: all combinations of u and s from Vienna data set



Validation

- Sensitivity = $TP/(TP+FN)$
- Specificity = $TN/(TN+FP)$
- Error rate = $FP/(FP+TP)$

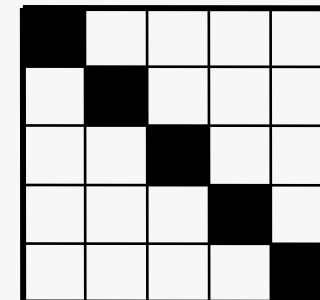
		Gaussian model	
		yes	no
Fuzzy model	yes	TP	FP
	no	FN	TN

10-fold cross validation

- training data: all white sets per row
- testing data: all black sets per row

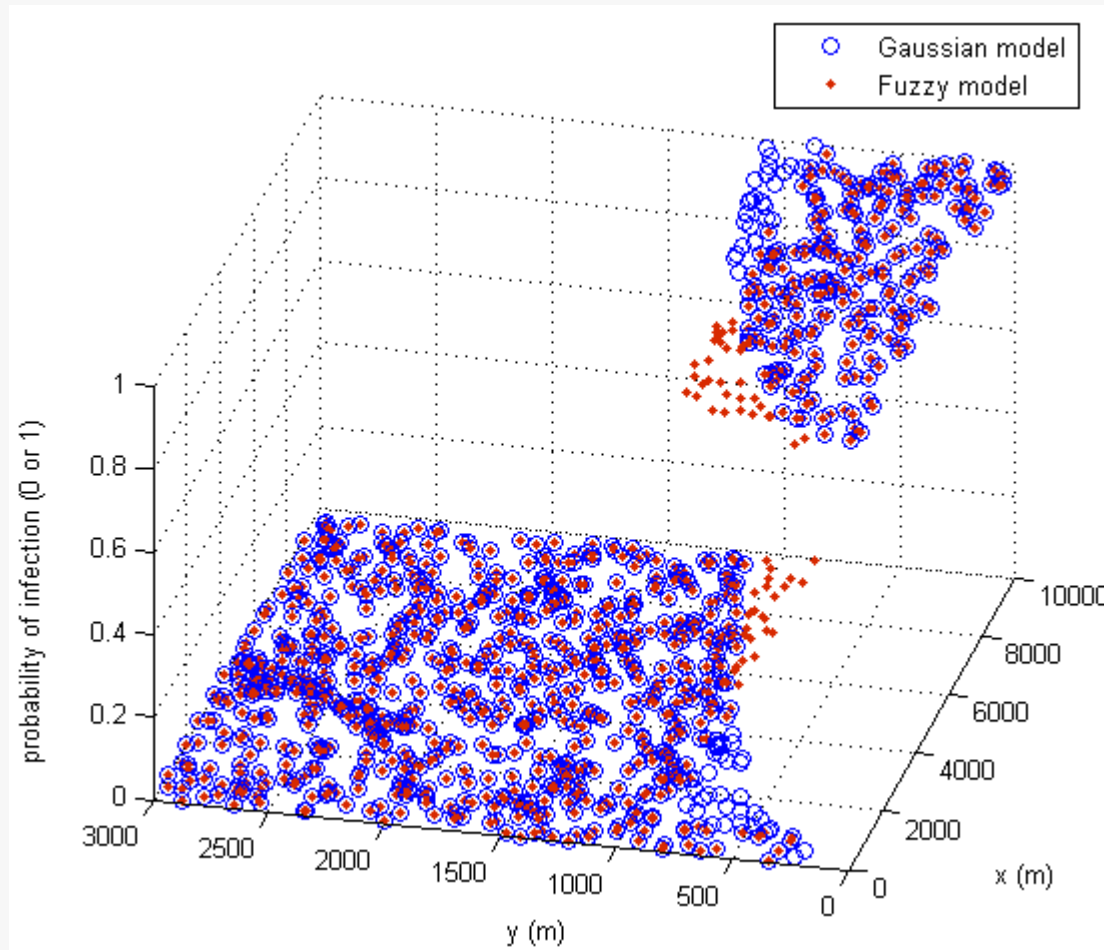
k = 5 subsets

$n_{\text{tot}} = 10,000$





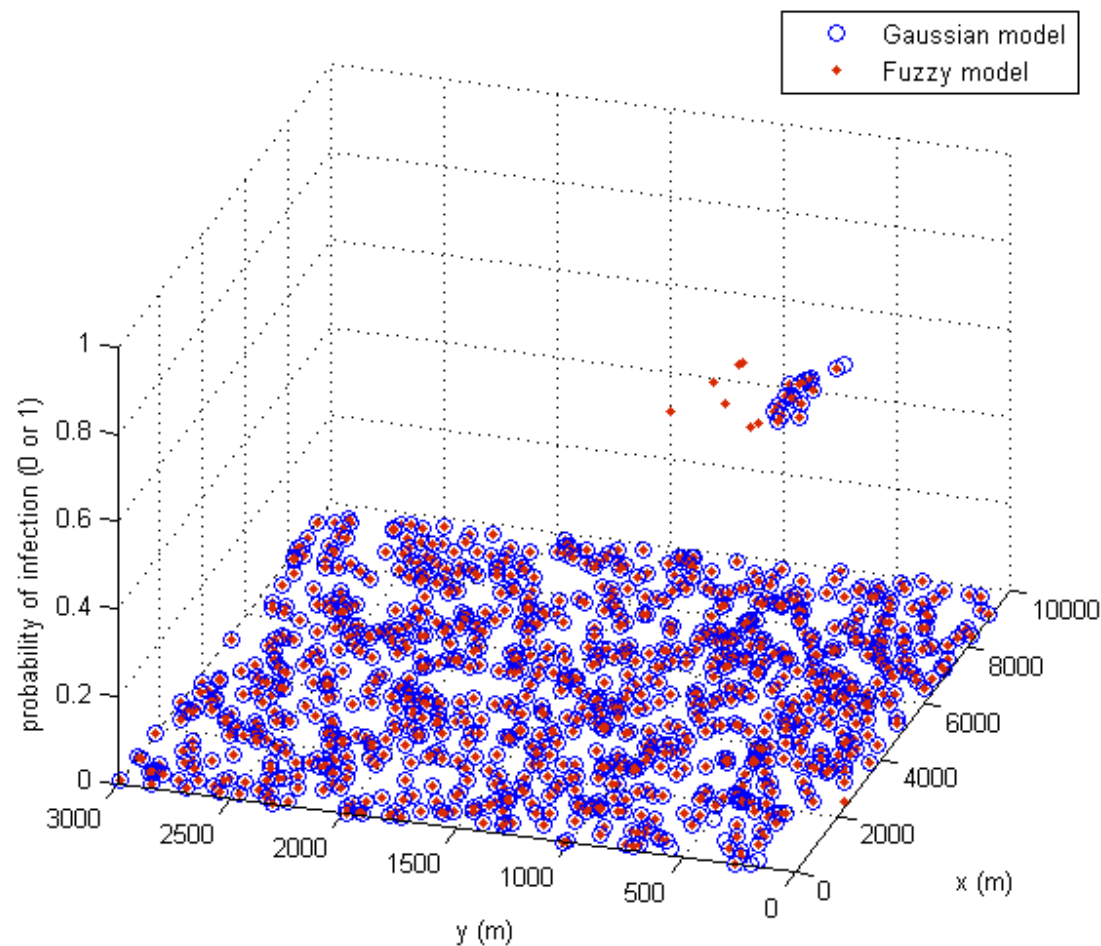
Results – cattle fuzzy 1



sensitivity = 90.3 %
specificity = 95.5 %
error rate = 12.2 %



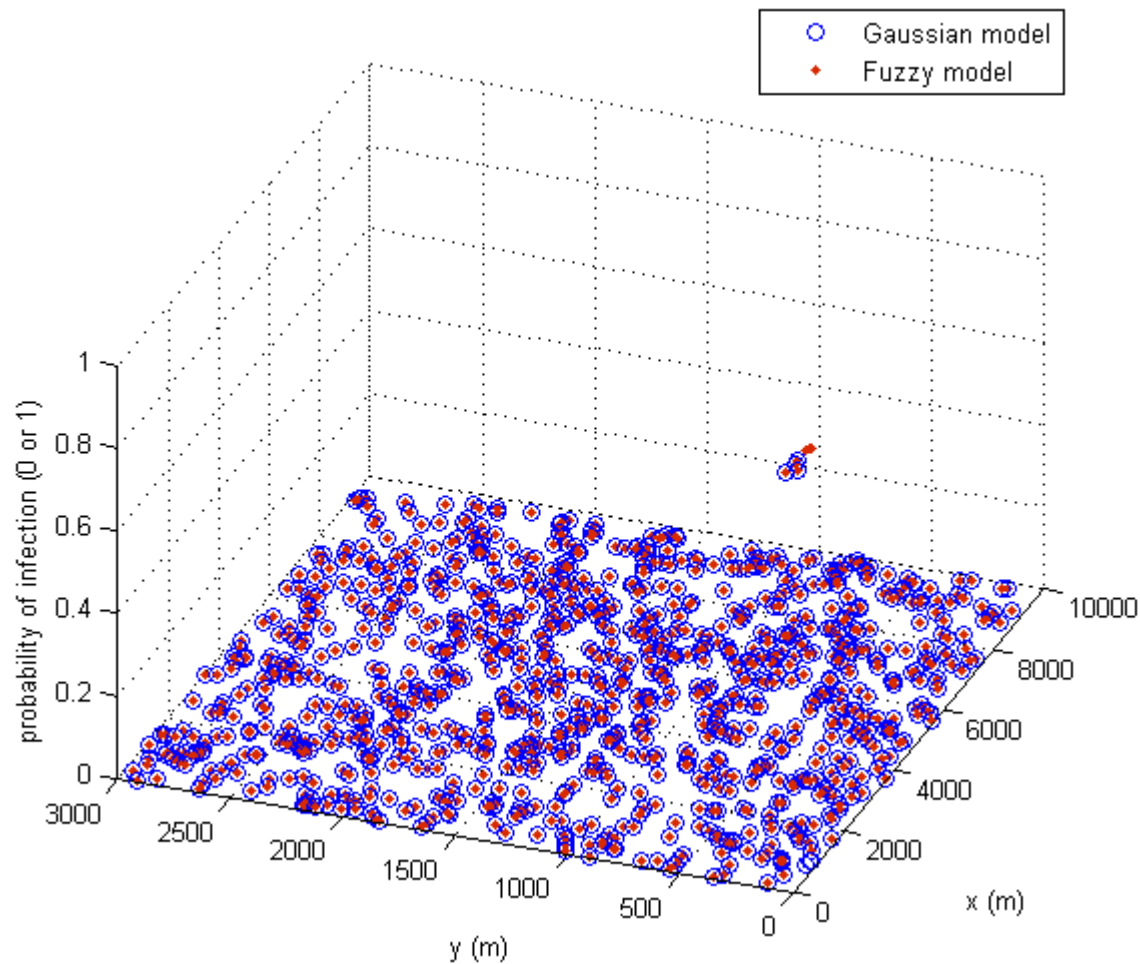
Results – sheep fuzzy 1



sensitivity = 92.3 %
specificity = 98.6 %
error rate = 52.2 %



Results – pigs fuzzy 1



sensitivity = 96.9 %
specificity = 99.9 %
error rate = 38.9 %



Results – cattle and pigs

	Model	Sensitivity	Specificity	Error rate	TP	FP	FN
cattle	Fuzzy 1	90.3 %	95.5 %	12.2 %	24.0 %	3.3 %	2.6 %
	Fuzzy 2	75.5 %	91.1 %	29.4 %	16.6 %	6.9 %	5.4 %
	Fuzzy 3	75.9 %	90.8 %	26.1 %	19.5 %	6.9 %	6.2 %
pigs	Fuzzy 1	96.9 %	99.9 %	38.9 %	0.20 %	0.12 %	0.01 %
	Fuzzy 2	74.6 %	99.8 %	61.7 %	0.14 %	0.16 %	0.04 %
	Fuzzy 3	78.7 %	99.9 %	51.1 %	0.18 %	0.14 %	0.04 %



Conclusion

- Graphics show a close relationship between the Gaussian and the Fuzzy model
- Risk of infections for cattle is easiest to estimate
- Sensitivity, specificity and error rate show good results for cattle and moderate results for sheep and pigs
- Results suggest that the fuzzy logic approach can be used to model airborne spread
- More detailed calibration of the model could improve the performance of the model



Faculty of Agricultural and Nutritional Science

C | A | U

Christian-Albrechts-University
Kiel
Institute of Animal Breeding and
Husbandry

Thank you for your attention!

