

A DYNAMIC SYSTEM TO MANAGE SUBDIVIDED POPULATIONS USING MOLECULAR MARKERS

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Conservation Genetics

⇒ maintenance of genetic diversity

loss of diversity



genetic drift

depends on N_e



$$\sigma_{qt}^2 = p_0 q_0 \left[1 - \left(1 - \frac{1}{2N} \right)^t \right]$$

$$F_t = 1 - \left(1 - \frac{1}{2N} \right)^t$$

Sensible strategy ⇒ largest populations (single)

logistic reasons

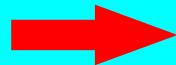


several nucleus (subpopulations) kept



reduction in the risk of environmental extinctions
(fires, infectious diseases, predators, ...)

theoretically



**maximum long-term
diversity by subdivision**



low census size per subpopulation



inbreeding depression

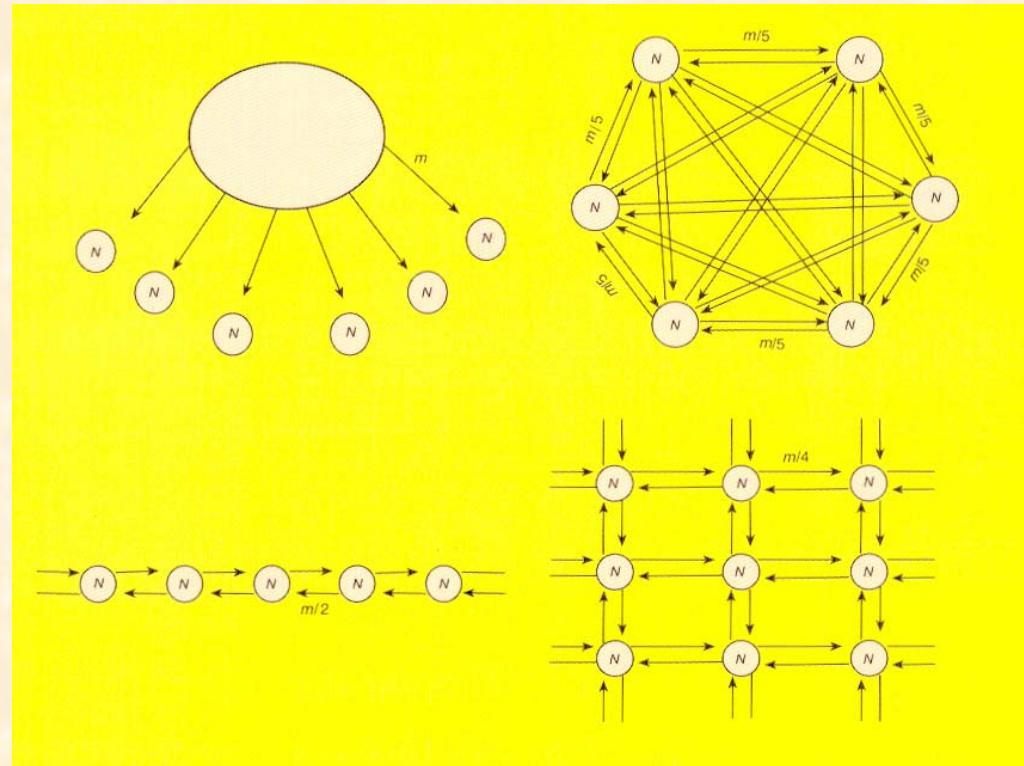
solution



gene flow



MIGRATION



✓ compromise between inbreeding,
global diversity and (differentiation)

PREVIOUS WORK

Fernández et al. (2008)

Dynamic method of management of metapopulations

⇒ based on pedigree

- ✓ method efficient in balancing
 - *non regular rate/scheme of flow*
- ✓ accounts for population structure
 - global diversity
 - inbreeding levels
- ✓ able to control number of migrants

METAPOP

OBJECTIVE

- to test the efficiency of dynamic method when based on molecular information



MATERIAL AND METHODS

Computer simulations

- 20 chromosomes of 1 M length
- 100 genomic loci (evenly spaced) per chromosome
- pedigree recorded every generation
- 1, 2, 5 or 10 markers per chromosome
- 2, 5 or 10 alleles per locus

Base population

➤ 5 subpopulations

✓ Structure



same size / 1:1 sex ratio



different sizes and sex ratios

✓ Relation

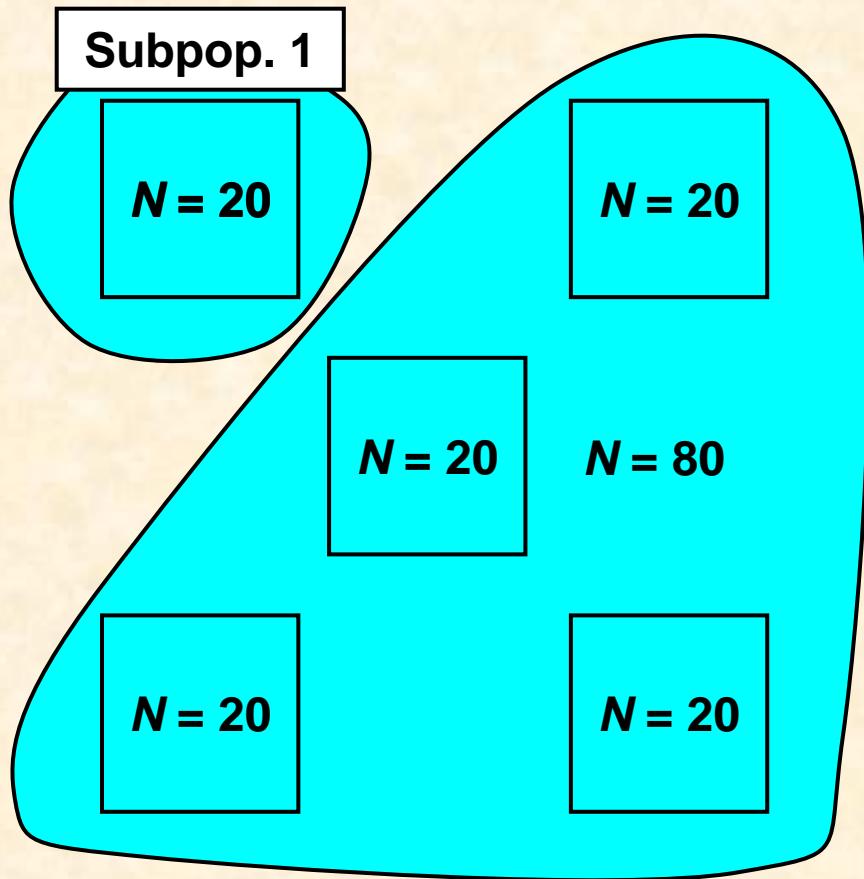


non inbred/unrelated individuals



differential relationships

- ✓ more inbred
- ✓ less related



✓ same number of males and females

✓ 5 discrete generations
✓ random { contributions
mating }

✓ ten discrete generations

➤ Management system

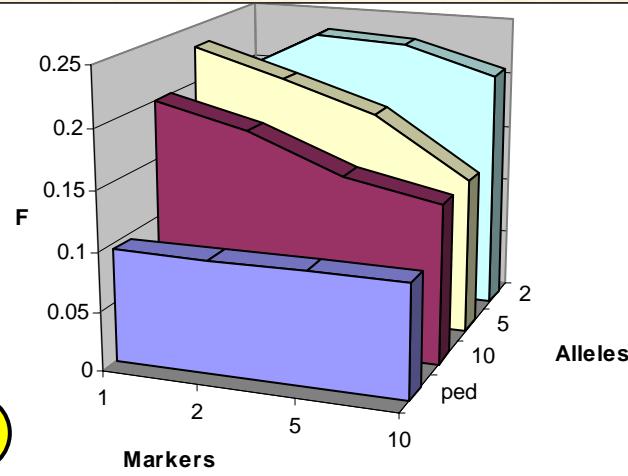
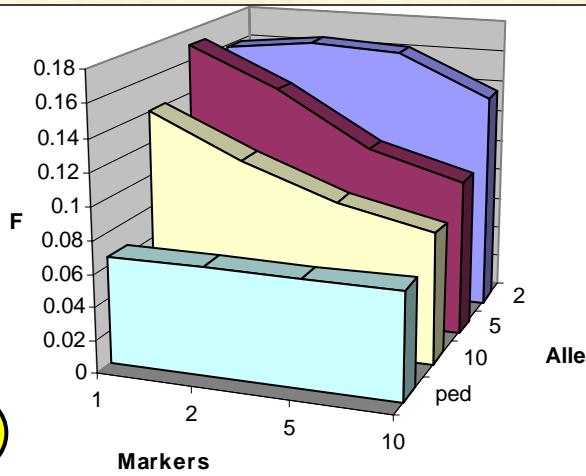
✓ Dynamic method $\begin{cases} \lambda = 1, 10 \\ M = 1 \end{cases}$ *λ = within population diversity weighting factor*

coancestry $\begin{cases} \checkmark \text{ from pedigree} \\ \checkmark \text{ from markers} \end{cases}$

random mating within subpopulations

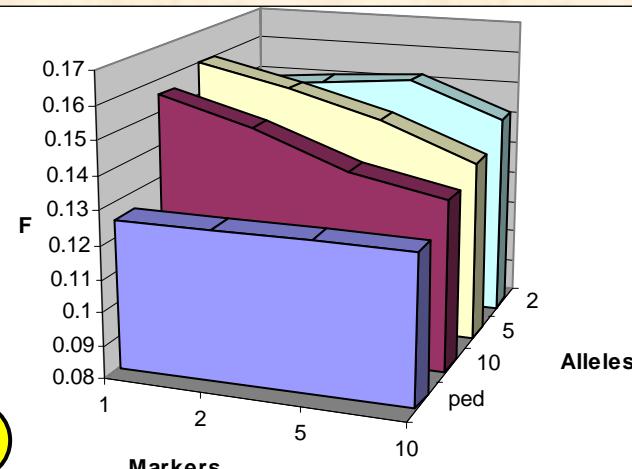
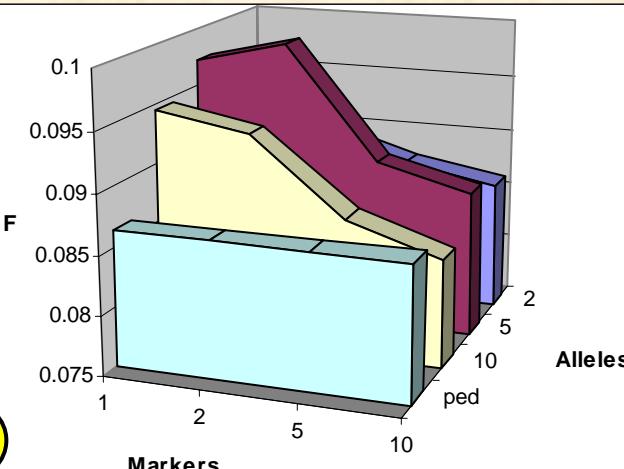
RESULTS

$\lambda = 1$



E U

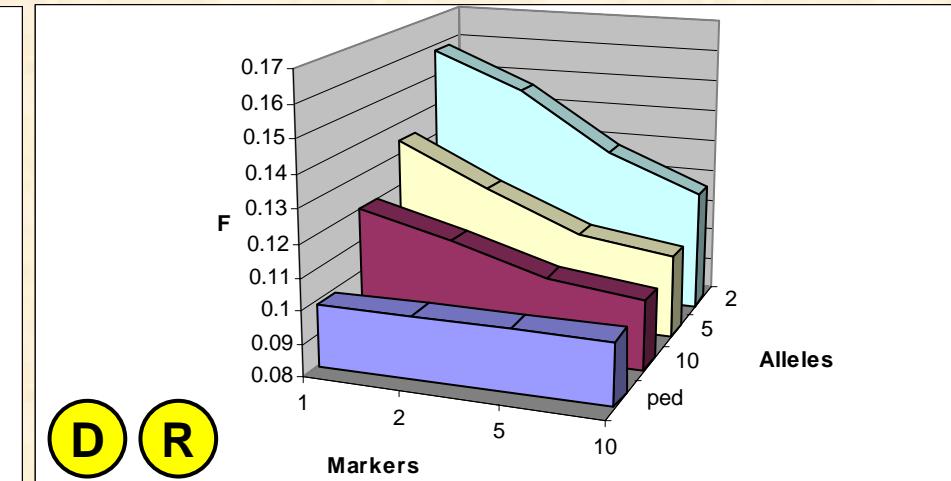
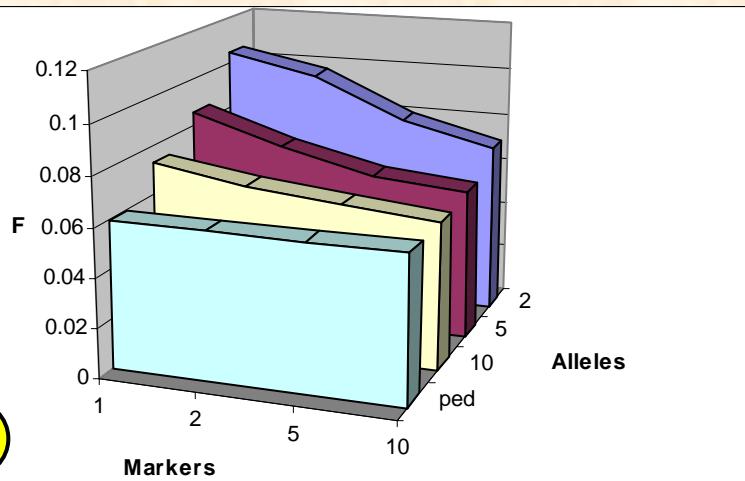
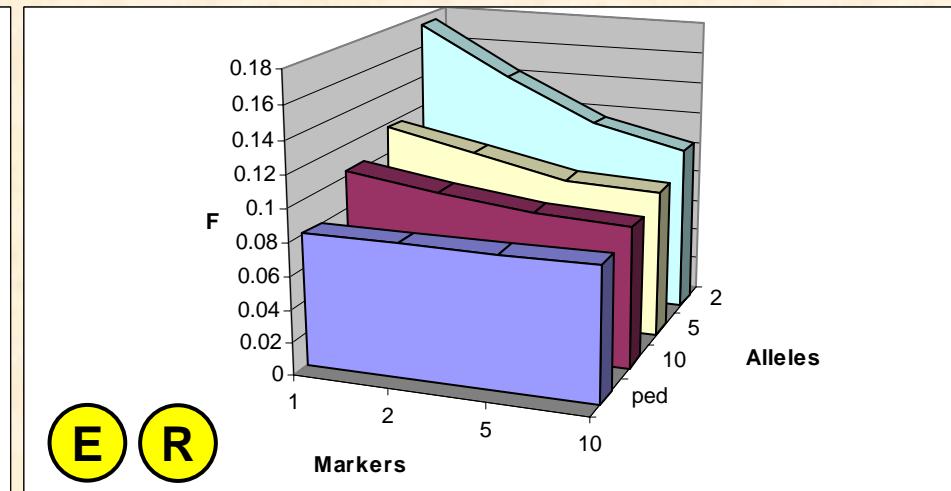
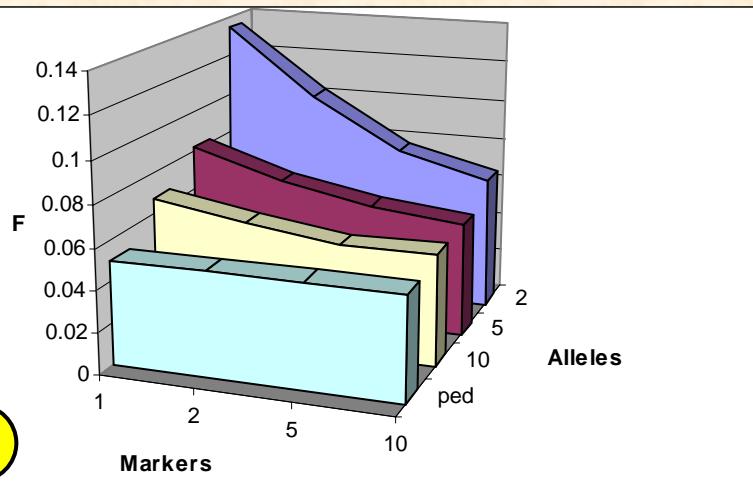
E R



D U

D R

$\lambda = 10$



SUMMARISING

- ✓ pedigree outperforms markers
 - ⇒ *more than 10 markers per chromosome with 10 alleles*
- ✓ similar results as with single populations
 - ⇒ *Fernández et al. 2005*
- ✓ more realistic with some linkage disequilibrium
 - ⇒ *future work*

THANK YOU!!