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# Management strategies for inbreeding control in unselected and selected populations

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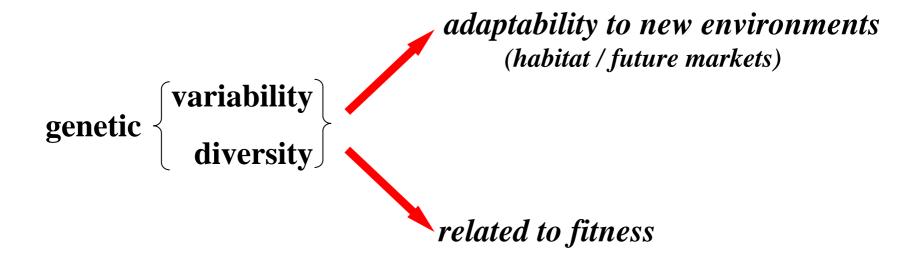
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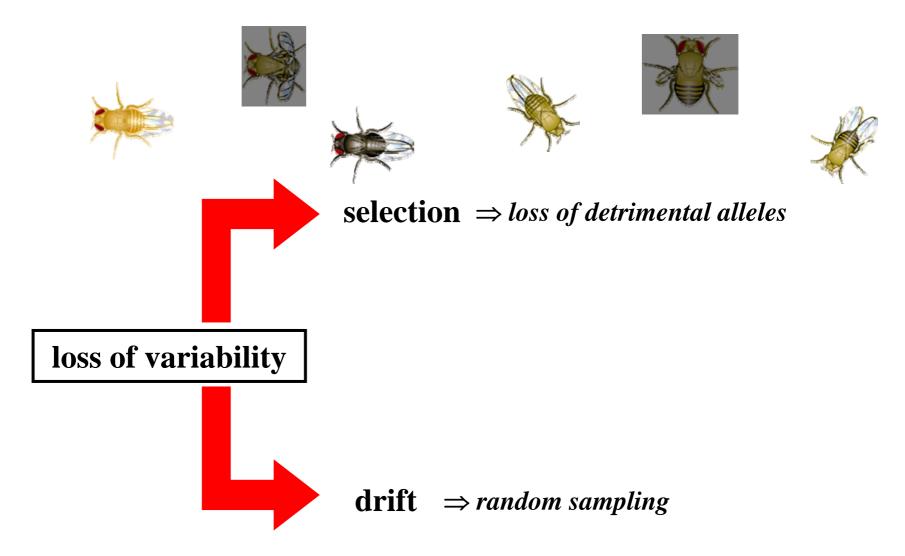


Gary Larson

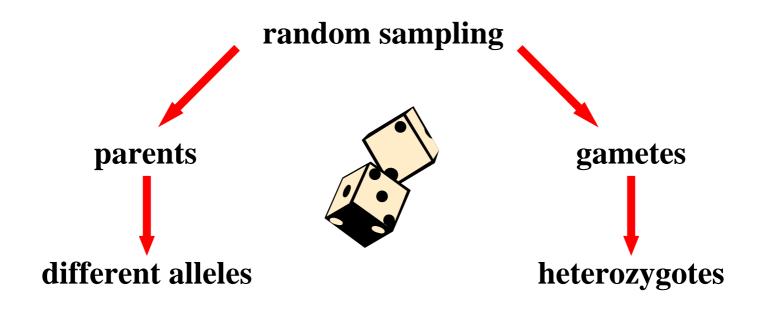


short-term: inbreeding depression

long-term: accumulation of deleterious mutations loss of evolutionary potential

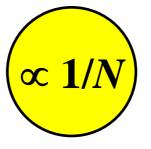






## Genetic drift

Variation of allelic frequencies

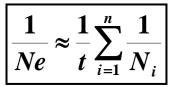


Increase of inbreeding (F)

#### Effective population size (Ne)

 $\Rightarrow \text{ ideal population with the same} \begin{cases} \Delta F \\ \Delta V(q) \end{cases}$ 

fluctuating population size



biased sex ratio

$$\frac{1}{Ne} = \frac{1}{4N_f} + \frac{1}{4N_m}$$

differential contributions

$$Ne \approx \frac{4N}{2+S_k^2}$$

Recommendations:

## **ESTIMATION OF** Ne

✓ demographic data

✓ pedigree analysis 
$$\Delta F = \frac{1}{2Ne}$$

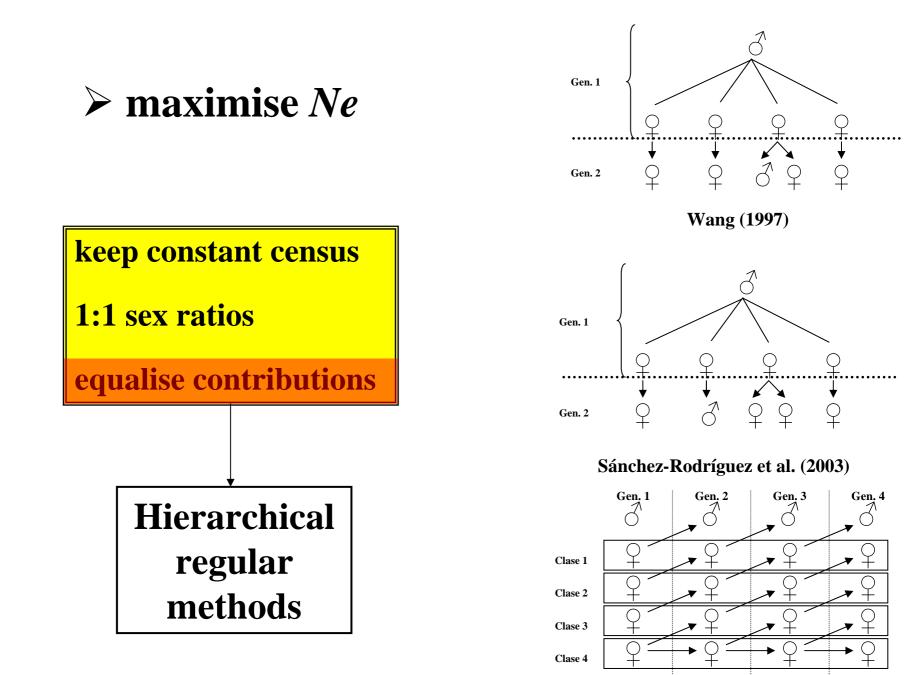
- ✓ molecular data
  - > fluctuation of allelic frequencies
  - decrease in heterozygosity
  - amount of linkage disequilibrium

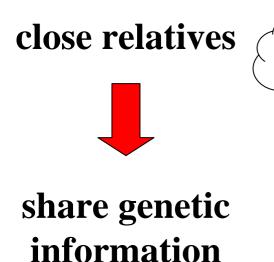
## Genetic management of a population

two decisions to take:
 which individuals reproduce? 1
 how they mate?

SELECTION

CONTRIBUTIONS







low diversity

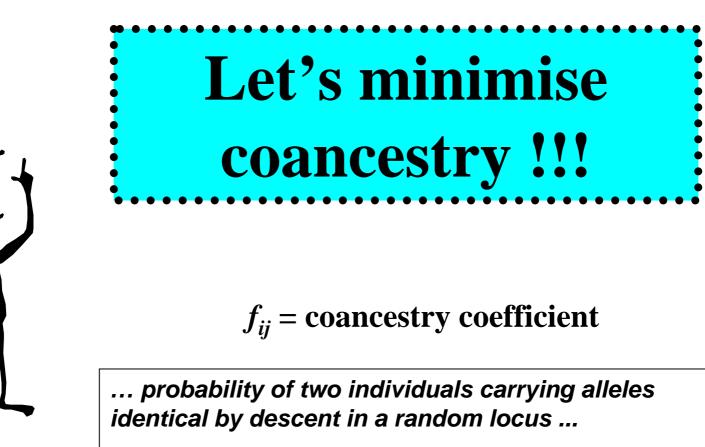


mating between relatives



increase of inbreeding

inbreeding depression



Malecot (1948)

 $\Rightarrow$  from pedigrees or from markers

#### overrepresented individuals are penalised

loosely related individuals are favoured

**Ballou & Lacy (1995)** 

**OPTIMAL** 

**CONTRIBUTIONS** 

$$\min \sum_{i=1}^{N} \sum_{j=1}^{N} c_i c_j f_{ij}$$

- $\checkmark$  equalises ancestral contributions
- ✓ maximises *Ne*
- ✓ maximises gene diversity (Exp. Het.) f = 1 GD

$$\checkmark$$
 minimises  $\Delta F$ 

$$\Delta F = rac{1}{2Ne}$$

✓ flexible and robust



#### Animal Breeding $\Rightarrow$ selection

 $\Rightarrow$  improving a particular trait

$$\Delta \mathbf{G} = \mathbf{i} \, \rho_{\mathsf{AC}} \, \sigma_{\mathsf{A}}$$

$$\begin{array}{l}\uparrow i \implies \uparrow \varDelta G \ , \uparrow \varDelta F \\ \uparrow \rho \implies \uparrow \varDelta G \ , \uparrow \varDelta F \end{array}$$



Inbreeding / Genetic diversity



- Decrease importance of relatives' information
  ✓ Inflated heritability
  - ✓ Suboptimal familiar indices

- > Allow for differential contributions
  - ✓ proportional to breeding value
  - $\checkmark$  more selected  $\Rightarrow$  same *i* with more *Ne*

#### **OPTIMAL CONTRIBUTIONS**

(Wray & Goddard 1994, Meuwissen 1997)

$$\max \left(\sum_{i=1}^{N} c_{i} EBV_{i}\right)$$

contributions proportional to breeding value ...

s.t. 
$$\left(\sum_{i=1}^{N}\sum_{j=1}^{N}c_{i}c_{j}f_{ij}\right) \leq F_{t+1}$$

... but also to average relationship

## Genetic management of a population

two decisions to take:
 which individuals reproduce?
 how they mate? 2

less important than selection

 $\Rightarrow$  little margin for improvement

## ➤ Factorial mating

- ✓ several partners per individual
- $\checkmark$  HS families instead of FS families

## Compensatory mating

✓ mix overrepresented lineages with rare ones

## > Minimum coancestry mating

- $\checkmark$  avoid mating between close relatives
- $\checkmark$  delays inbreeding (but not  $\Delta F$ )

## CRYOCONSERVATION

### ✓ use of post-reproductive individuals

✓increases census

✓ increases generation interval

✓ reduces drift





## ✓ *Ne* is a key parameter

 $\Rightarrow$  management and monitoring

- ✓ OC controls the rise of inbreeding
  - $\Rightarrow$  with and without selection
  - $\Rightarrow$  also reduces loss of diversity
- $\checkmark$  mating less important than selection
  - $\Rightarrow$  but *mcm* could be advisable